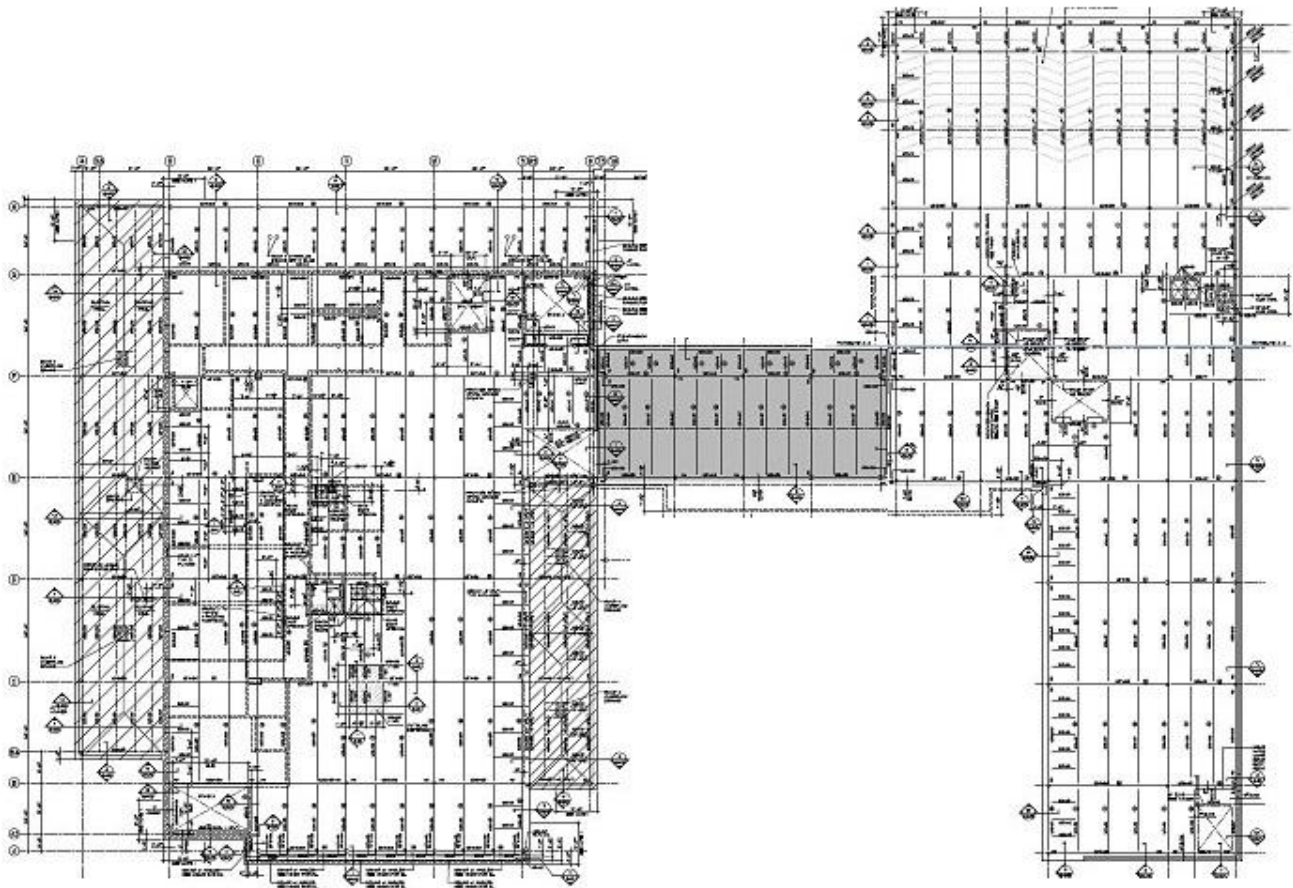
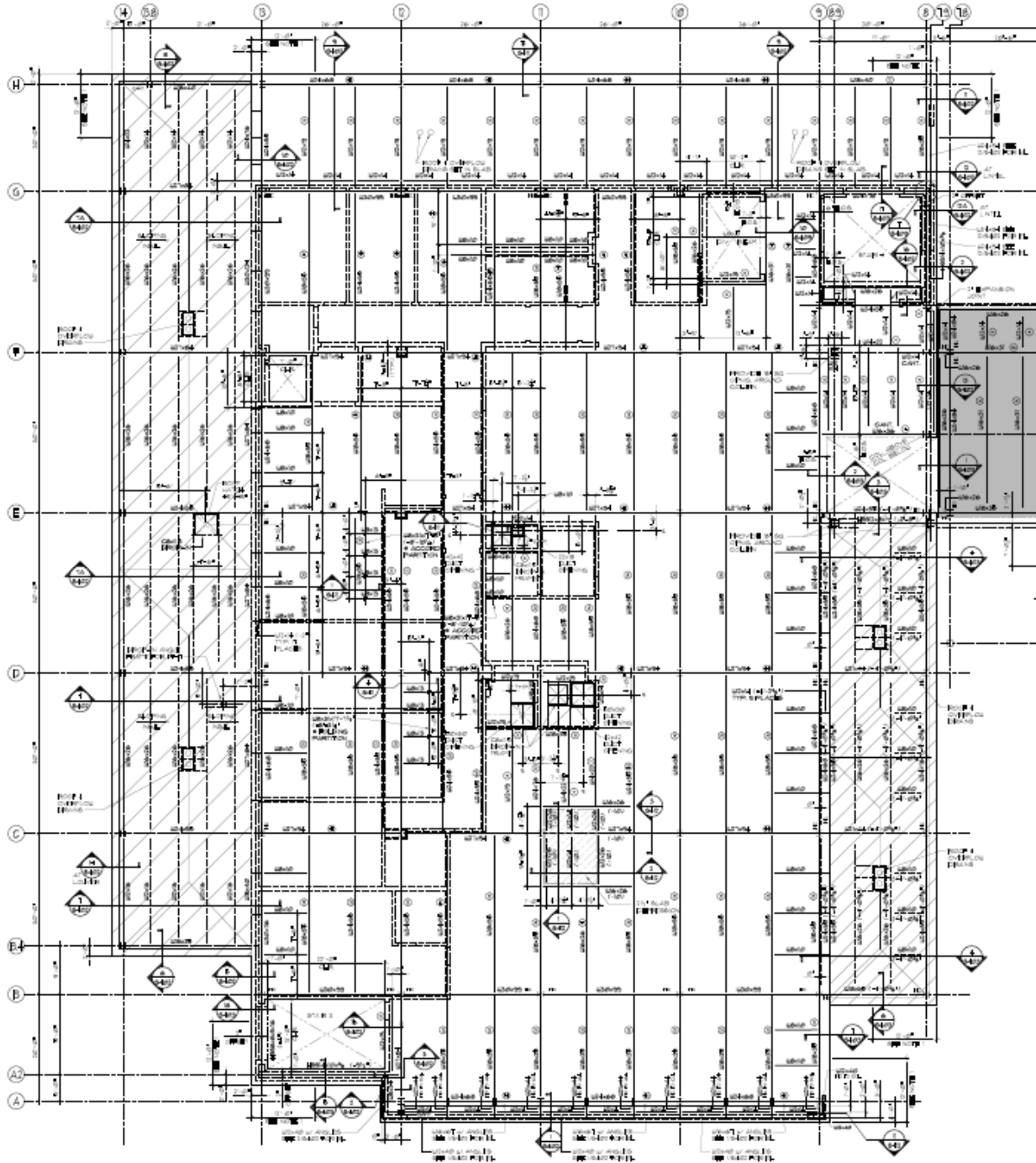


Appendix A: Typical Floor Plans



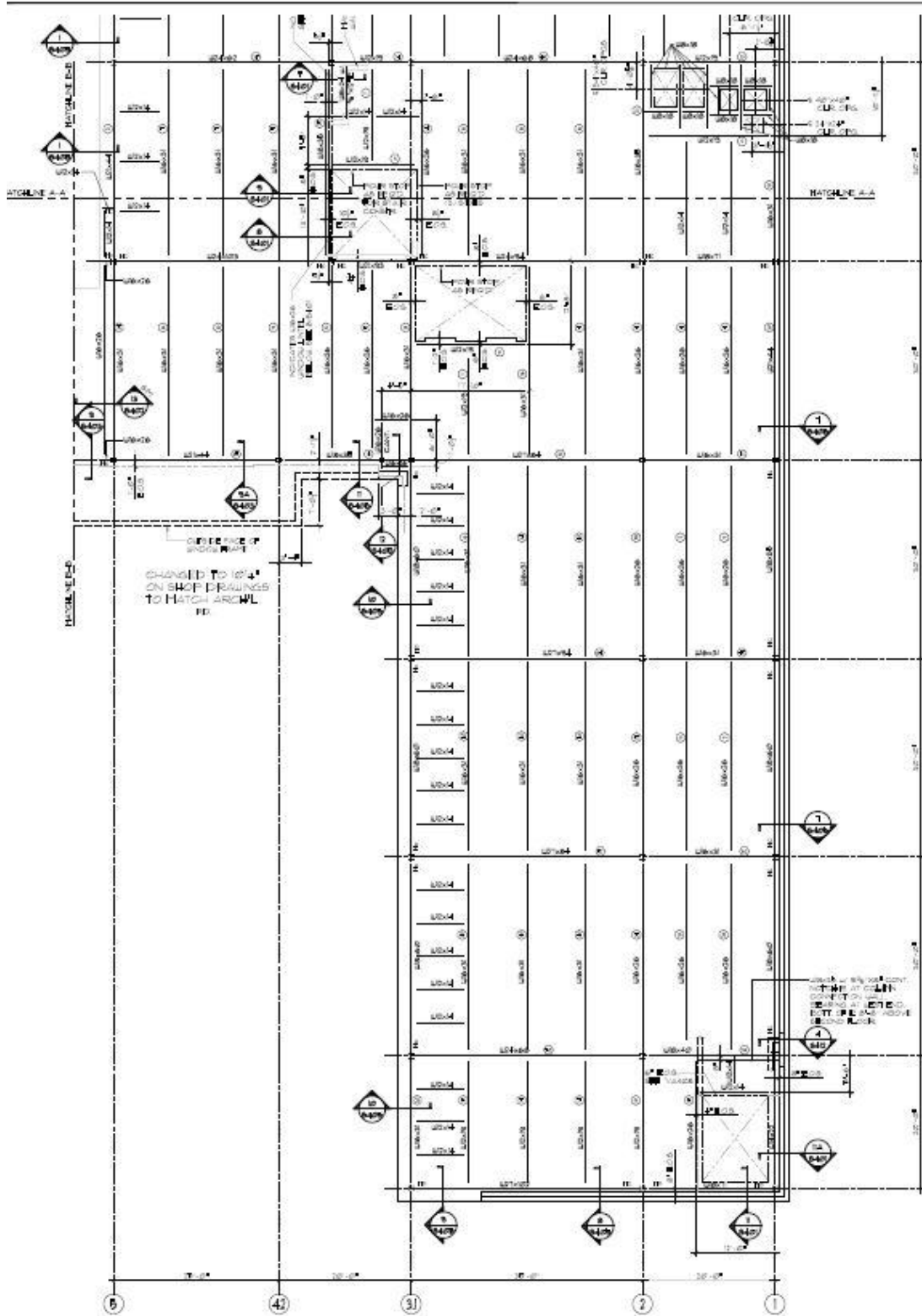
Framing Plan of the 2nd Floor, Courtesy of Highland Associates





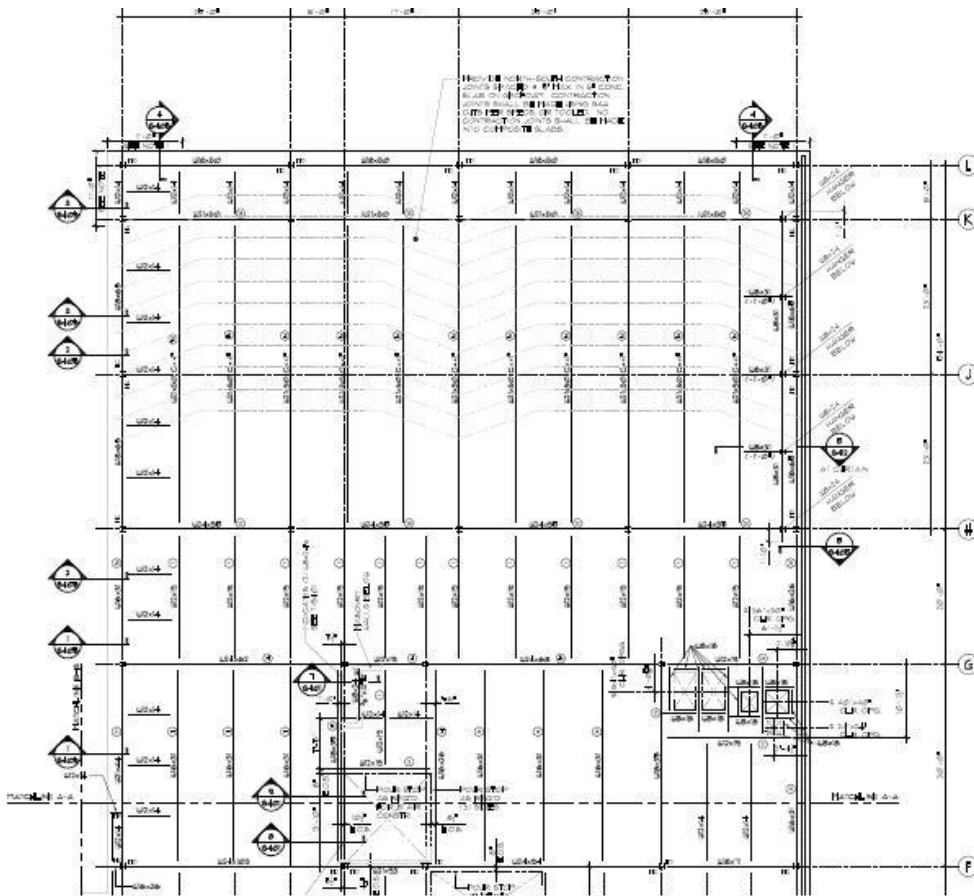
2nd Story frame, west wing, Courtesy of Highland Associates



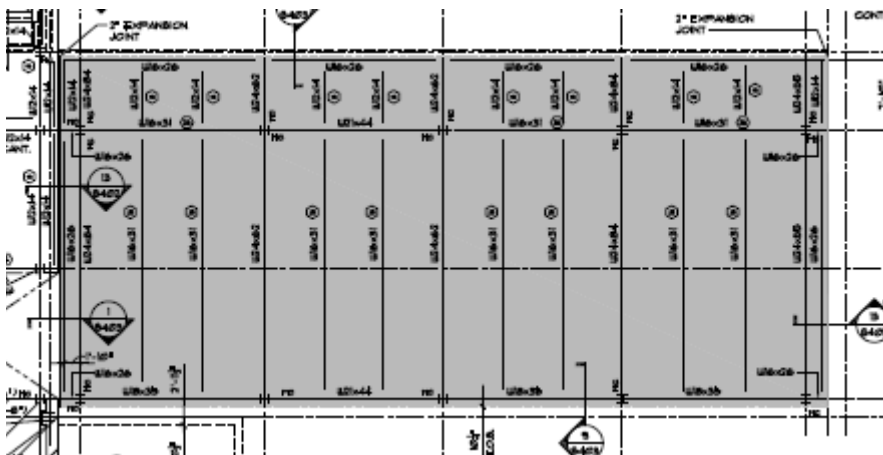


2nd Story frame, east wing (south), Courtesy of Highland Associates

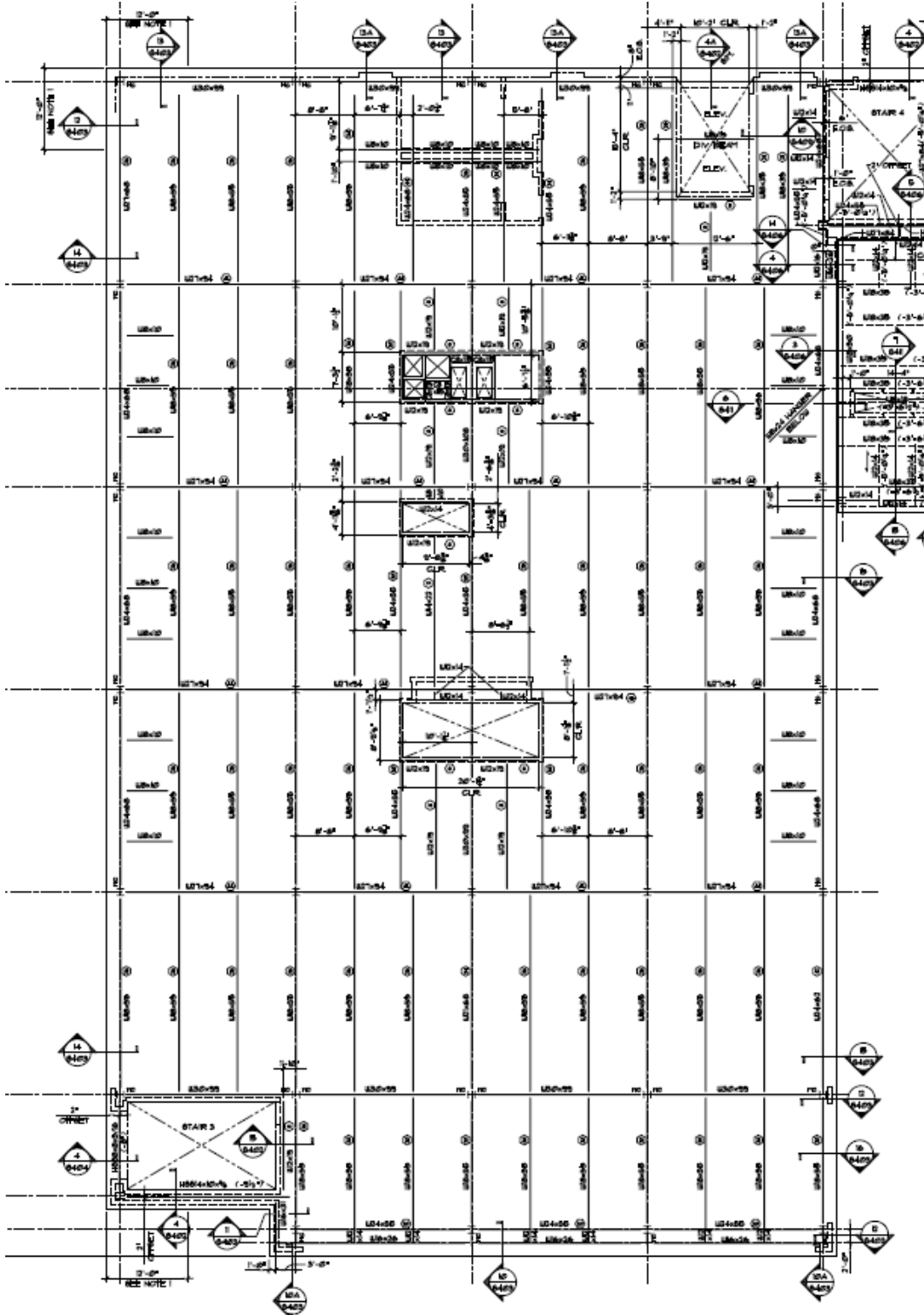




2nd Story frame, east wing (north), Courtesy of Highland Associates

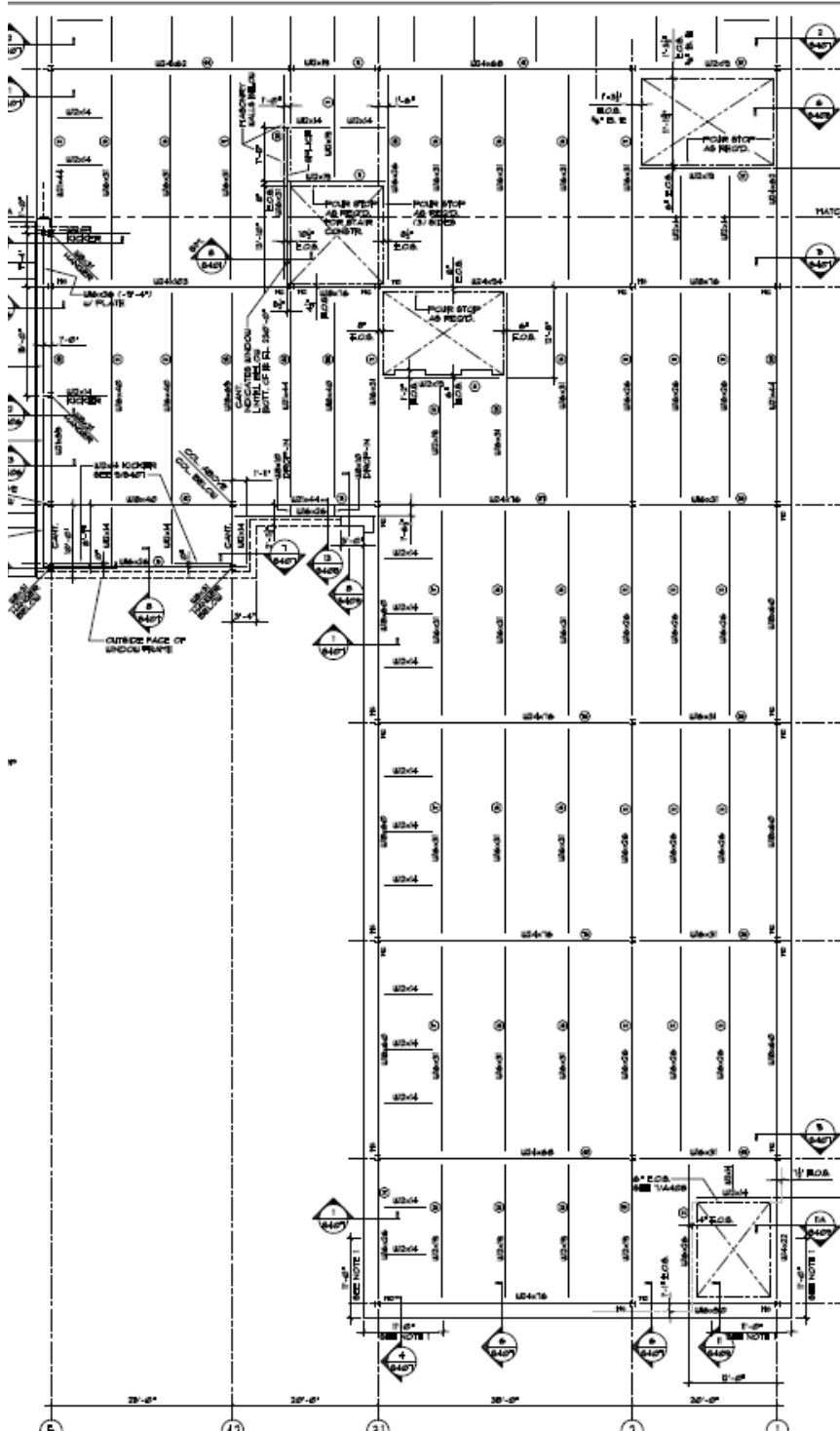


2nd Story frame, Link, Courtesy of Highland Associates



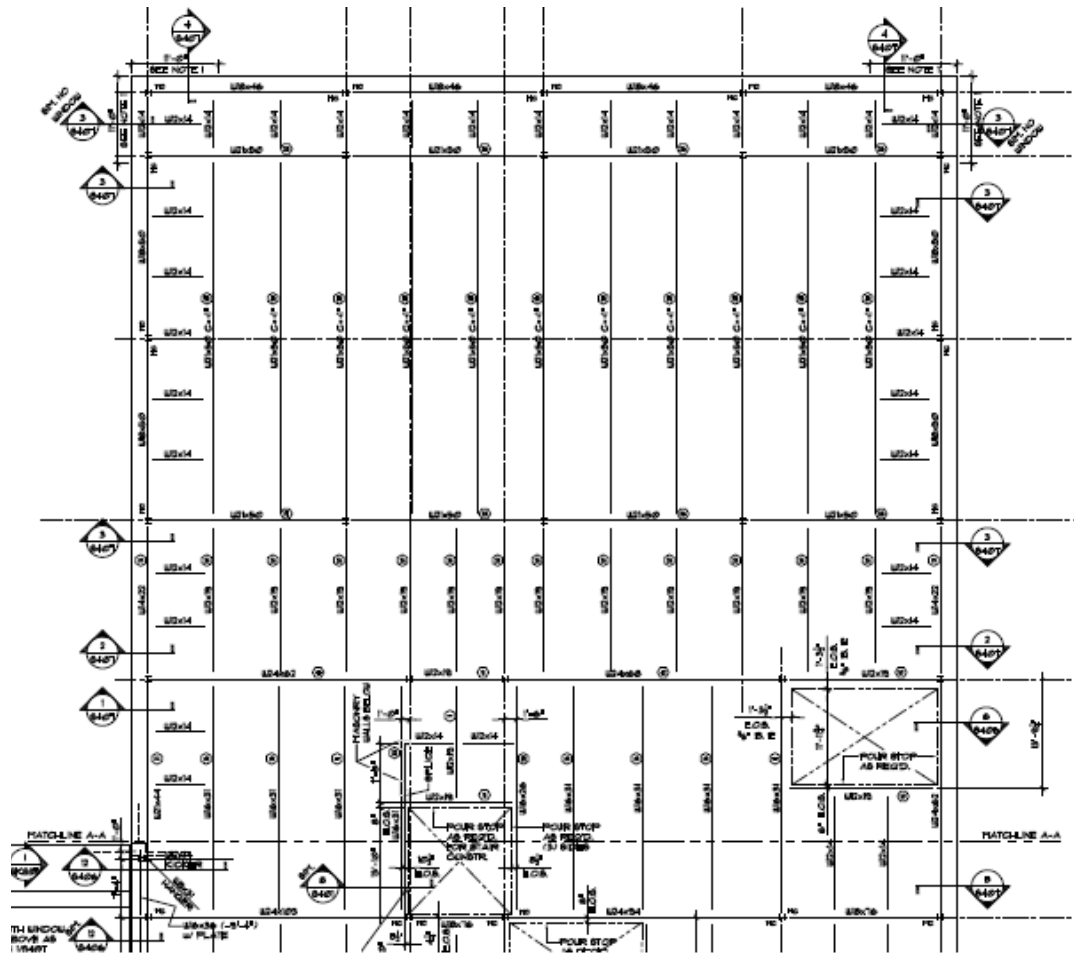
3rd Story frame, west wing, Courtesy of Highland Associates



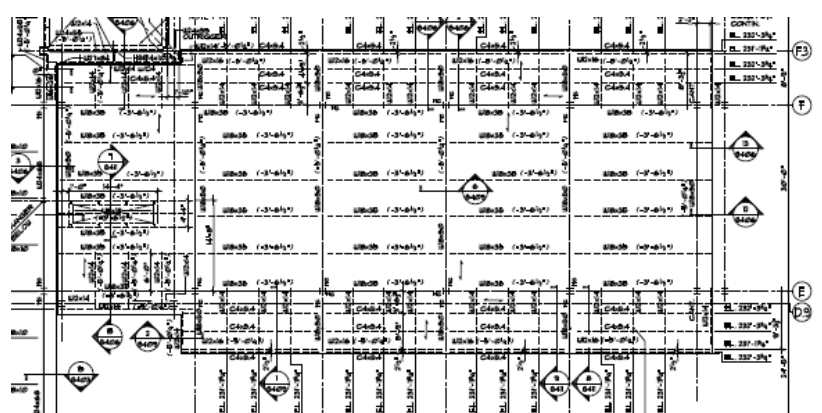


3rd Story frame, east wing (south), Courtesy of Highland Associates

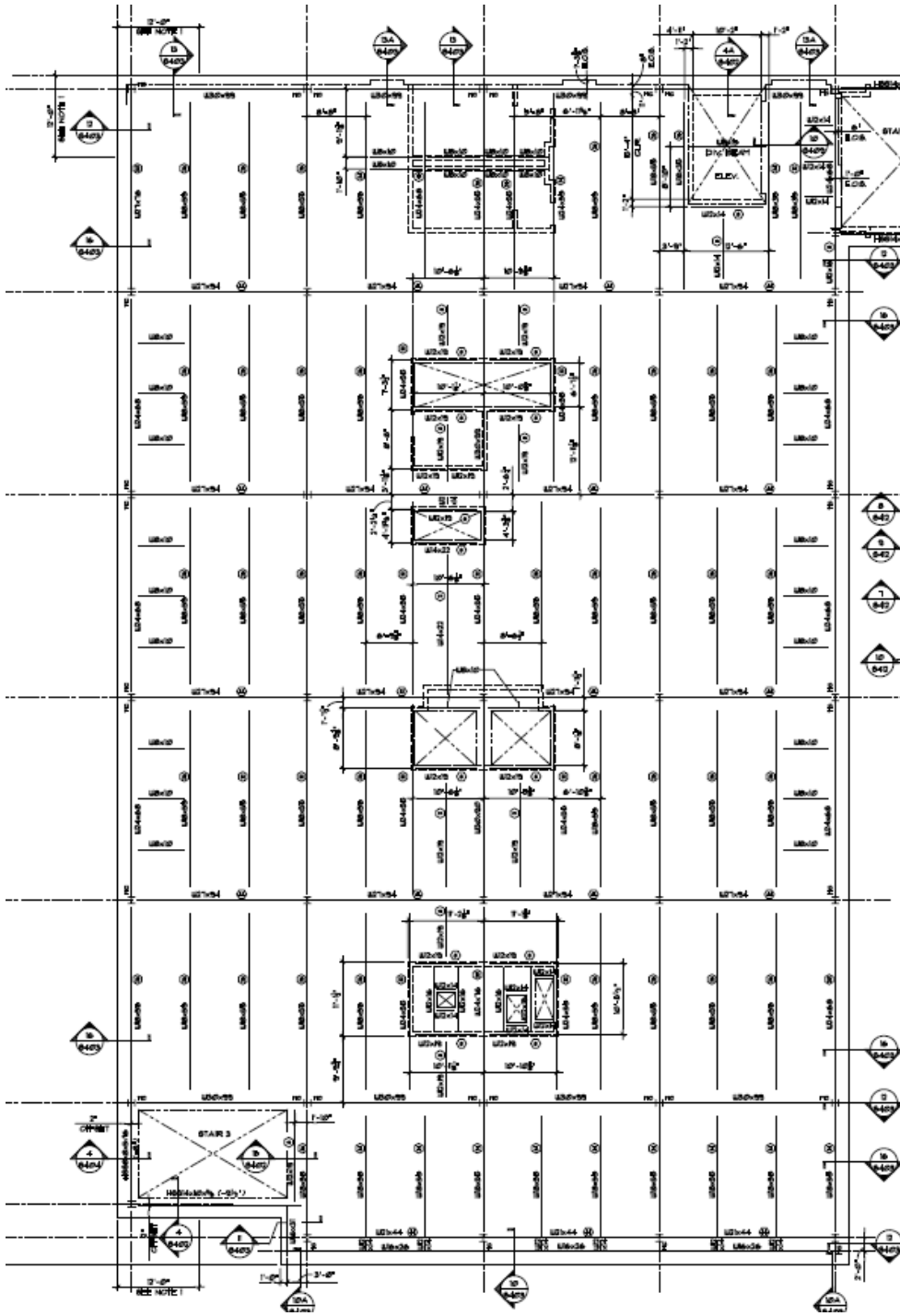




3rd Story frame, east wing (north), Courtesy of Highland Associates

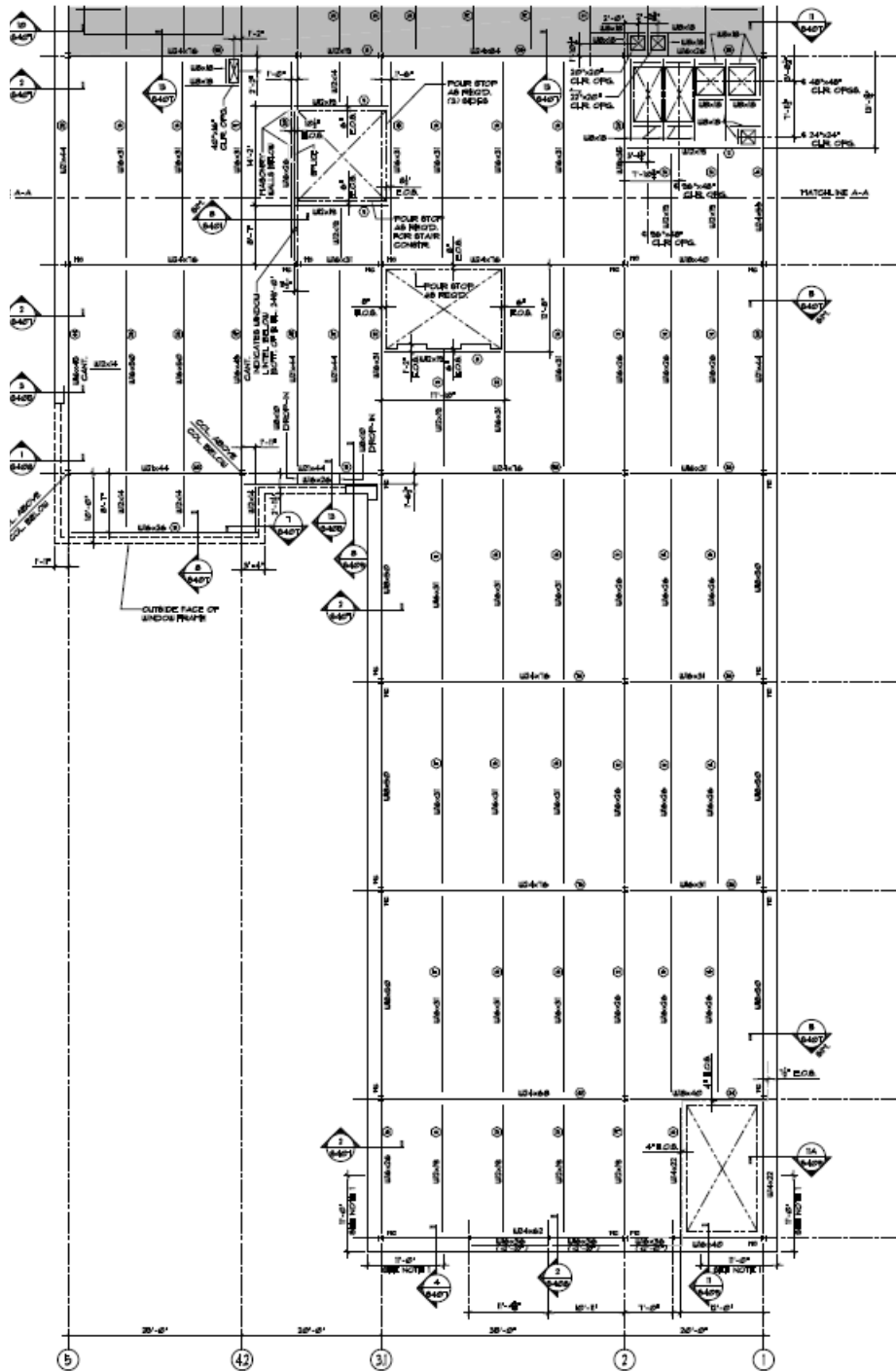


3rd Story frame, Link, Courtesy of Highland Associates



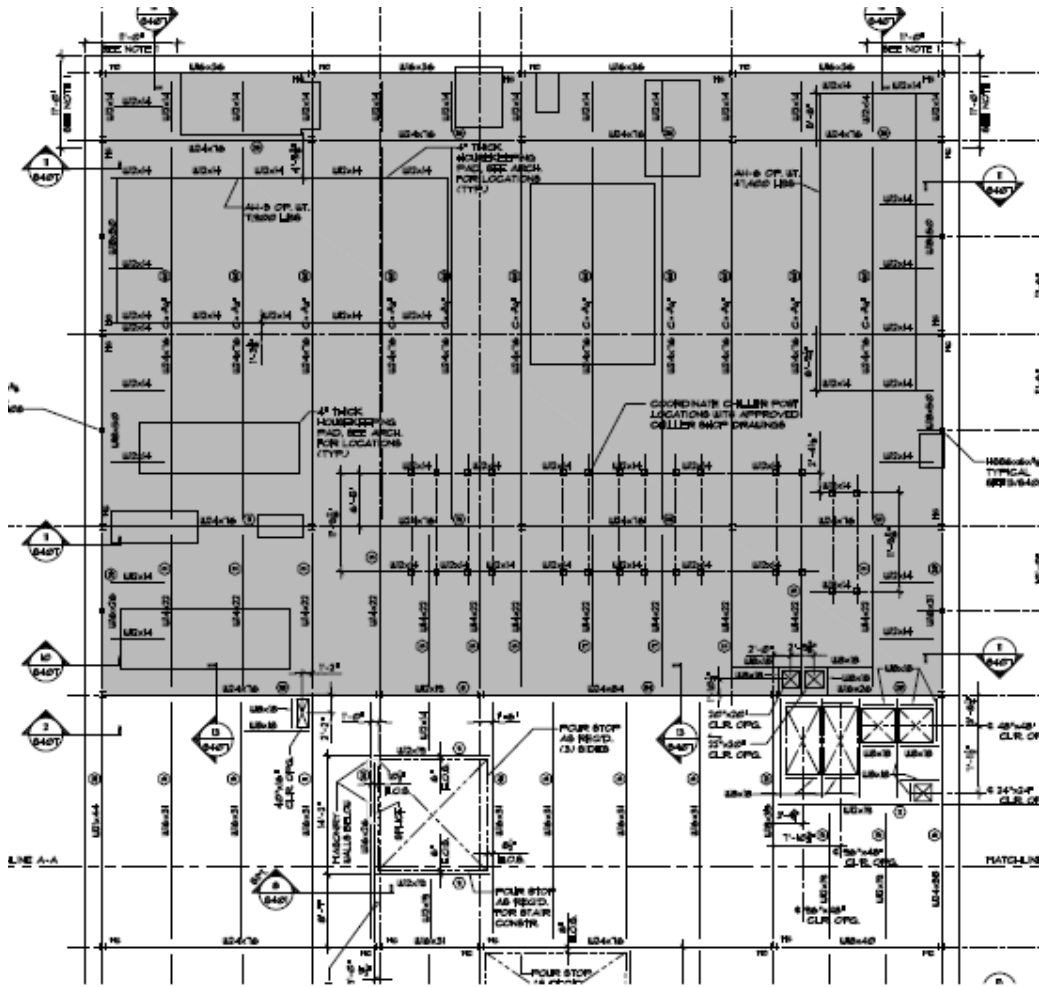
4th Story frame, west wing, Courtesy of Highland Associates





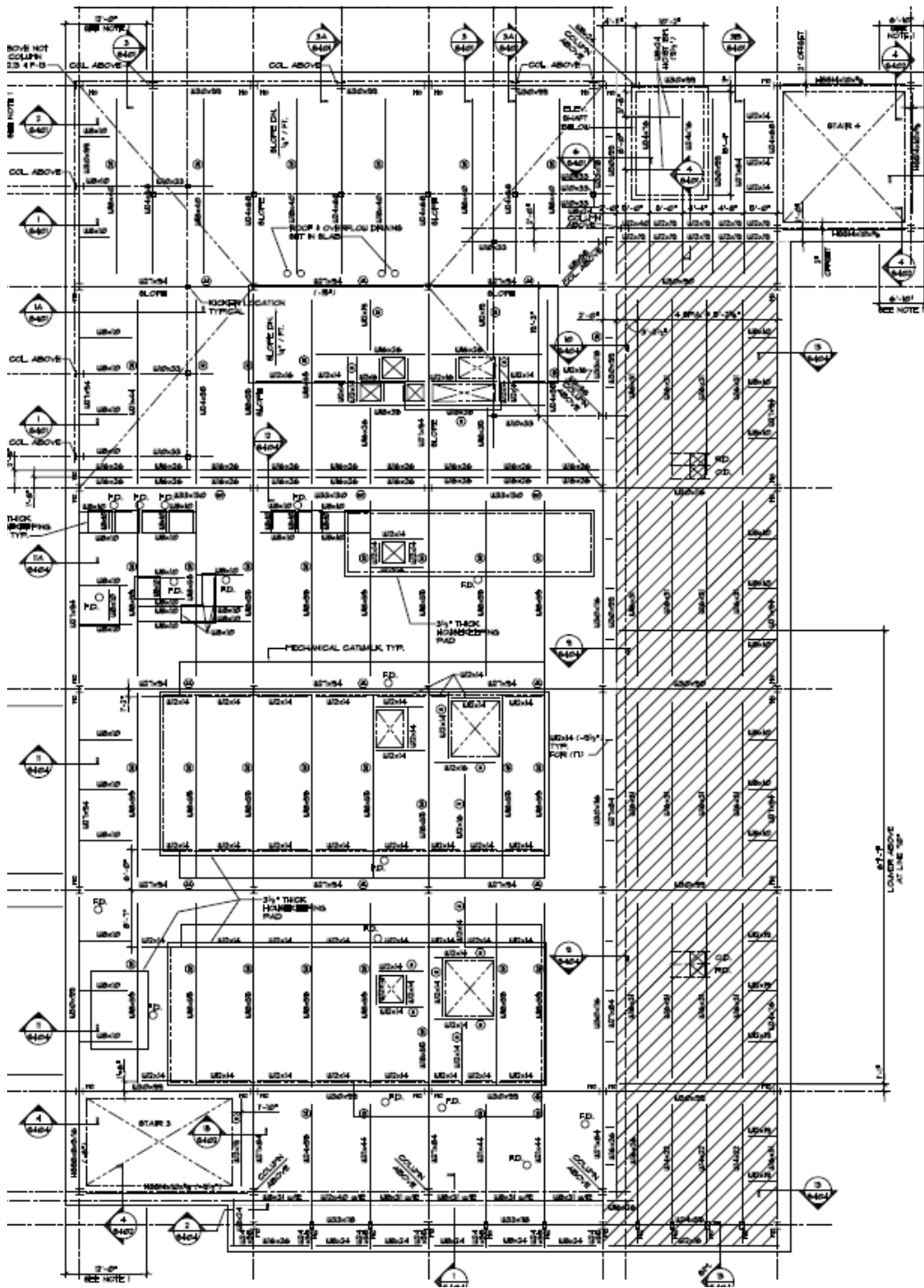
4th Story frame, east wing (south), Courtesy of Highland Associates





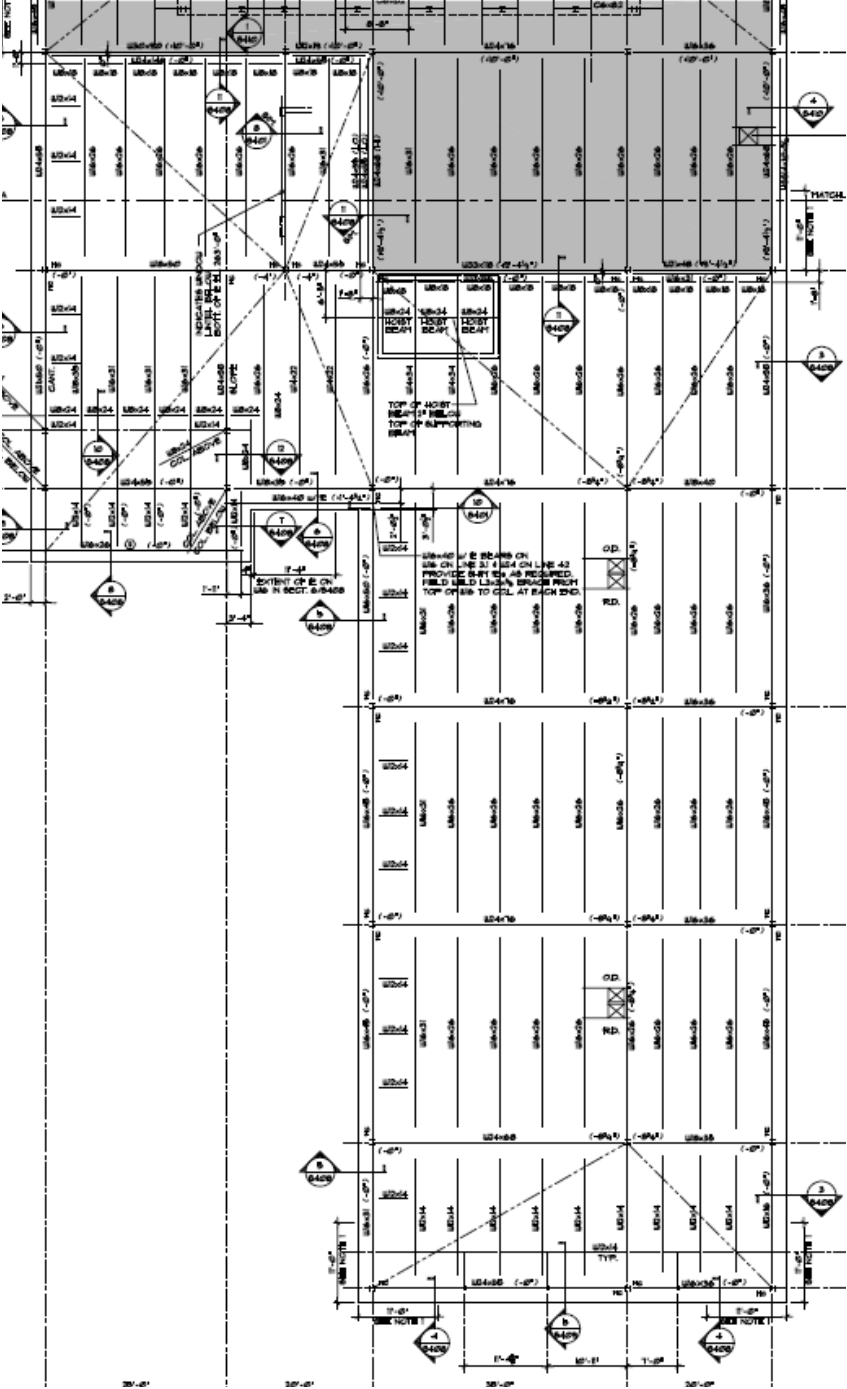
4th Story frame, east wing (north), Courtesy of Highland Associates





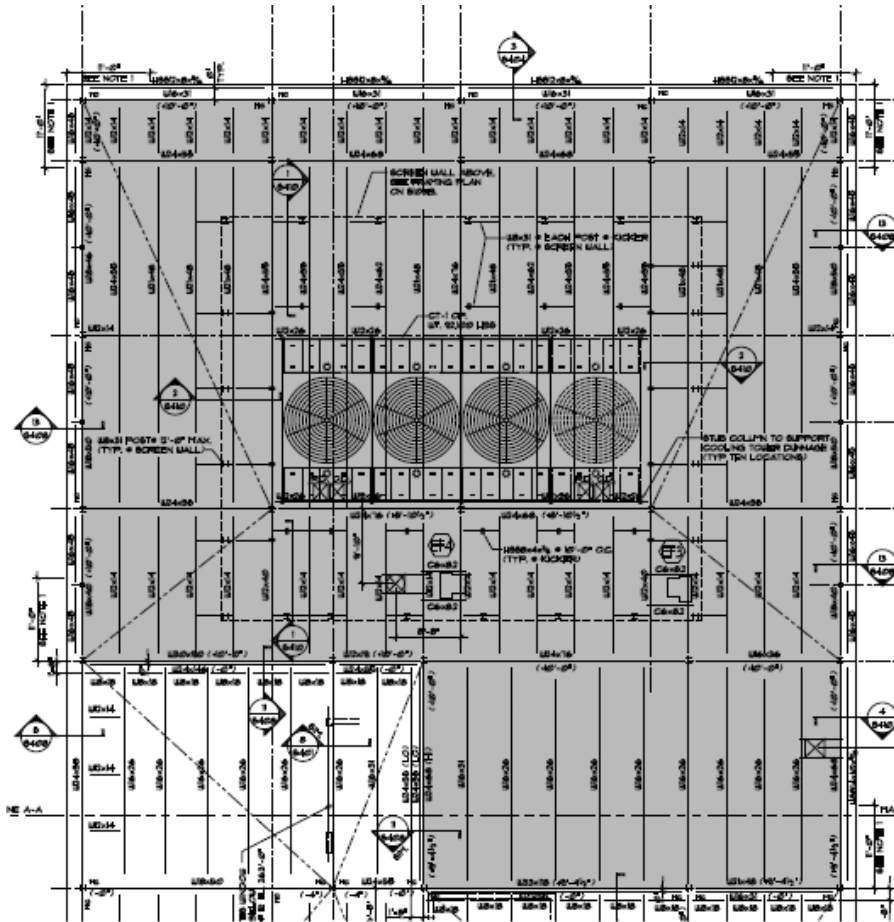
Main Roof Story frame, west wing, Courtesy of Highland Associates





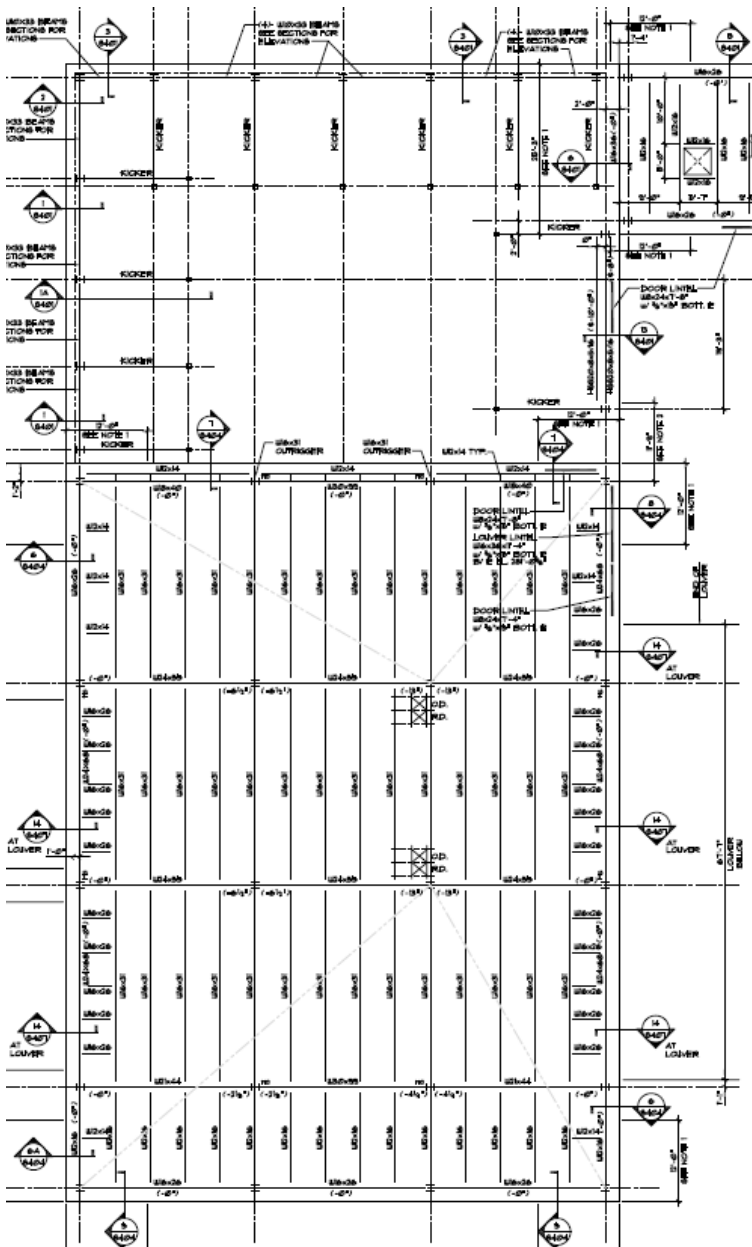
Main Roof Story frame, east wing (south), Courtesy of Highland Associates





Main Roof Story frame, east wing (north), Courtesy of Highland Associates

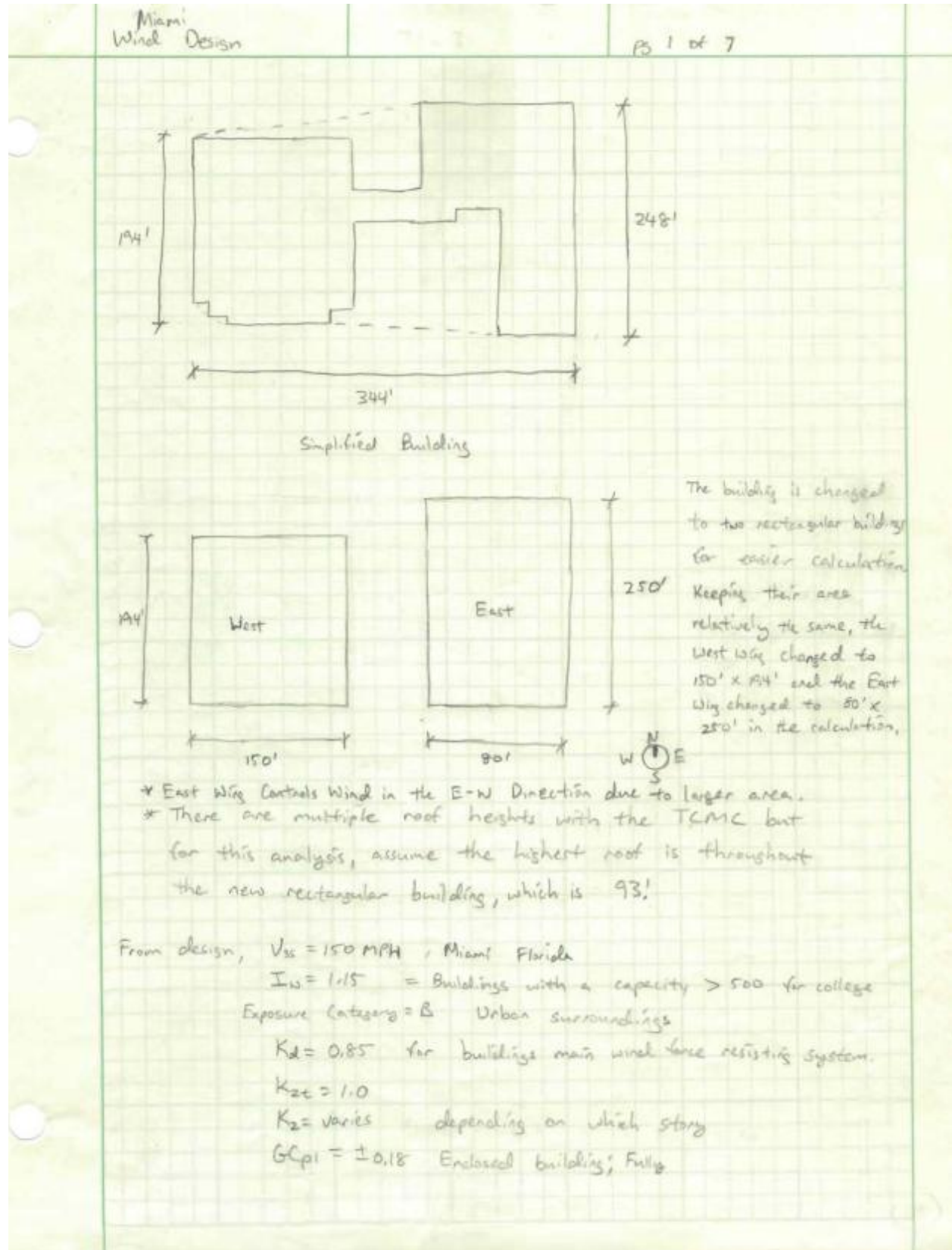




Penthouse Roof Story frame, west wing, Courtesy of Highland Associates



Appendix B: Miami, FL, Wind Load Calculations



Wind Design pg 2 of 7

$$q_z = 0.00256 K_z K_{zt} K_d V^2 I_w$$

$$= 0.00256 (.99)(1.0)(.85)(150)^2 (1.15)$$

$q_{zr} = 55.8 \text{ psf}$ for roof

$$= 0.00256 (.89)(1.0)(.85)(150)^2 (1.15)$$

$q_{zp} = 50.2 \text{ psf}$ for penthouse floor

$$= 0.00256 (.83)(1.0)(.85)(150)^2 (1.15)$$

$q_{z4} = 46.8 \text{ psf}$ for 4th story floor

$$= 0.00256 (.74)(1.0)(.85)(150)^2 (1.15)$$

$q_{z3} = 41.7 \text{ psf}$ for 3th story floor

$$= 0.00256 (.70)(1.0)(.85)(150)^2 (1.15)$$

$q_{z2} = 39.5 \text{ psf}$ for 2nd story floor

$$= 0.00256 (.70)(1.0)(.85)(150)^2 (1.15)$$

$q_{z1} = 39.5 \text{ psf}$ for ground story floor

- roof	93'
- penthouse	69.5'
- 4th	53'
- 3rd	37'
- 2nd	21'
- ground	0'

Finding Gust Effect Factor

$$n_a = \frac{22.2}{h^2} = \frac{22.2}{93^2} = .59 < 1 \text{ Hz}$$

so calculate in the event that building is flexible

$$G_F = 0.925 \left(\frac{1 + 1.7 I_z \sqrt{g_Q^2 + g_R^2}}{1 + 1.7 g_v I_z} \right)$$

g_Q and $g_v = 3.4$

$$n_1 = \frac{100}{H} = \frac{100}{93} = 1.07$$

average value C26.9-6 ASCE7-10

$$n_1 = \frac{75}{H} = \frac{75}{93} = 0.81$$

lower bound value C26.9-7 ASCE7-10

$$g_R = 2 \sqrt{2 \ln(3,600)(1.07)} + \frac{0.577}{2 \sqrt{2 \ln(3,600)(1.07)}} = 4.32$$

$$I_z = c \left(\frac{33}{z} \right)^{1/6}$$

$z = \max \{ .6(93) = 55.8 \text{ ft}, 30 \text{ ft} \}$

$$I_z = .30 \left(\frac{33}{55.8} \right)^{1/6} = .275 \quad c = 0.30$$

Wind Design Page 3 of 7

$$Q = \sqrt{\frac{1}{1 + 0.63 \left(\frac{B+h}{L_z}\right)^{0.63}}$$

$$R = \sqrt{\frac{1}{\beta} R_n R_h R_e (0.53 + 0.47 R_n)} \quad \beta \text{ assumed to be}$$

$$R_n = \frac{7.47 N_1}{(1 + 10.3 N_1)^{5/3}}$$

$$N_1 = \frac{n_1 L_z}{V_z} \quad \text{Constants are from table 26.5-1 (ASCE 7-10)}$$

$$L_z = 1 \left(\frac{\bar{z}}{33}\right)^{\bar{E}} \quad \bar{z} = \frac{1}{3} \quad r = 320 \text{ ft} \quad V_z = \bar{b} \left(\frac{\bar{z}}{33}\right)^{\bar{\alpha}} \left(\frac{R_p}{60}\right)^{\gamma} \quad \bar{b} = .45$$

$$= 320 \left(\frac{55.8}{33}\right)^{1/3} \quad = .45 \left(\frac{55.8}{33}\right)^{1/7} \left(\frac{22}{60}\right)^{90} \quad \bar{\alpha} = 1/7$$

$$= 381.2 \quad = 64.0$$

$$N_1 = \frac{1.07(381.2)}{64} = 6.37$$

$$R_n = \frac{7.47(6.37)}{1 + 10.3(6.37)^{5/3}} = .044$$

Page 4 of 7

Wind Design	
<p><u>West Wing</u></p> <p><u>N-S Direction</u></p> <p>$h = 93 \text{ ft}$ $L = 150 \text{ ft}$ $B = 194 \text{ ft}$</p>	<p style="text-align: center;">↓ Is not required, does not control design</p> <p><u>E-W Direction</u></p> <p>$h = 93 \text{ ft}$ $L = 194 \text{ ft}$ $B = 150 \text{ ft}$</p>
<p>$\beta = 1\%$ recommended by ASCE 7-05 $= .01$</p>	
$\eta_h = \frac{4.6 \eta_v h}{V_z} = \frac{4.6(1.07)(93)}{64} = 7.15$	$\eta_h = 7.15$
$\eta_B = \frac{4.6 \eta_v B}{V_z} = \frac{4.6(1.07)(194)}{64} = 14.9$	$\eta_B = \frac{4.6(1.07)(150)}{64} = 11.5$
$\eta_L = \frac{15.4 \eta_v L}{V_z} = \frac{15.4(1.07)(150)}{64} = 38.6$	$\eta_L = \frac{15.4(1.07)(194)}{64} = 49.9$
$R_h = \frac{1}{\eta} - \frac{1}{2\eta^2} (1 - e^{-2\eta}) \quad \text{for } \eta > 0$	
$R_h = \frac{1}{7.15} - \frac{1}{2(7.15)^2} (1 - e^{-2(7.15)}) = .130$	$R_h = .130$
$R_B = \frac{1}{14.9} - \frac{1}{2(14.9)^2} (1 - e^{-2(14.9)}) = .064$	$R_B = \frac{1}{11.5} - \frac{1}{2(11.5)^2} (1 - e^{-2(11.5)}) = .083$
$R_L = \frac{1}{38.6} - \frac{1}{2(38.6)^2} (1 - e^{-2(38.6)}) = .026$	$R_L = \frac{1}{49.9} - \frac{1}{2(49.9)^2} (1 - e^{-2(49.9)}) = .020$
$R = \frac{1}{0.01} (0.044)(.13)(.064)(0.83 + 0.47(.026)) = .14$	$R = \frac{1}{0.01} (0.044)(.13)(.083)(0.83 + 0.47(.020)) = .16$
$Q = \frac{1}{1 + 0.63 \left(\frac{194 + 93}{381.2} \right)^{0.63}} = .81$	$Q = \frac{1}{1 + 0.63 \left(\frac{150 + 93}{381.2} \right)^{0.63}} = .82$
$G_f = 0.925 \left(\frac{1 + 1.7(.275) \sqrt{(1-.3)^2(8)^2 + (4.32)^2(110)^2}}{1 + 1.7(3.4)(.275)} \right)$	$G_f = 0.925 \left(\frac{1 + 1.7(.275) \sqrt{0.49^2(10)^2 + 6.20^2(110)^2}}{1 + 1.7(3.4)(.275)} \right)$
$G_f = .828$	$G_f = .837$

Page 5 of 7

Wind Design

West Wing Pressures

$$p = q_z C_p - q_z (G C_{pi})$$

<u>Wall</u>	<u>N-S</u>	<u>E-W</u>
Windward	$C_p = 0.8$	$C_p = 0.8$
Sidewall	$C_p = -0.7$	$C_p = -0.7$
Leeward	$C_p = L/B = 170/194 = 0.77$	$C_p = L/B = 194/150 = 1.29$
	$C_p = -0.5$	$C_p = -0.45$ by interpolation

<u>Roof</u>	<u>N-S</u>	<u>E-W</u>
$\theta = 0^\circ$	$h/L = 93/150 = 0.62$	$\theta = 0^\circ$
	$C_p = -1.1$ for $0 < h/L < 0.5$	$h/L = 93/194 = 0.48$
	$C_p = -0.6$ for > 0.5	$C_p = -0.9$ for $0 < h/L < 0.4$
	by interpolation	$C_p = -0.5$ for $h/L > 0.4$
		$C_p = -0.3$ for > 0.4

$$p = 55.8(.826)(0.8) - 55.8(\pm .15) =$$

$$= 37.0 \pm 10.1$$

$$= 47.1 \text{ or } 26.9 \text{ psf}$$

at roof height, windward wall

* see excel for rest of calculations

Wind Design Page 6 of 7

East Wing

<p><u>N-S Direction</u></p> <p>$h = 93 \text{ ft}$ $L = 80 \text{ ft}$ $B = 250 \text{ ft}$</p>	<p><u>E-W Direction</u></p> <p>$h = 93 \text{ ft}$ $L = 250 \text{ ft}$ $B = 80 \text{ ft}$</p>
--	--

$\beta = 1\%$ recommended by ASCE 7-05
 $= .01$

$\eta_h = \frac{4.6(1.07)(9.3)}{64} = 7.15$	$\eta_h = 7.15$
$\eta_B = \frac{4.6(1.07)(250)}{64} = 19.2$	$\eta_B = \frac{4.6(1.07)(80)}{64} = 6.15$
$\eta_L = \frac{15.4(1.07)(80)}{64} = 20.6$	$\eta_L = \frac{15.4(1.07)(250)}{64} = 64.4$

$R_h = .130$ $R_h = .130$

$R_B = \frac{1}{19.2} - \frac{1}{2(19.2)^2} (1 - e^{-2(19.2)}) = .050$ $R_B = \frac{1}{6.15} - \frac{1}{2(6.15)^2} (1 - e^{-2(6.15)}) = .150$

$R_L = \frac{1}{20.6} - \frac{1}{2(20.6)^2} (1 - e^{-2(20.6)}) = .047$ $R_L = \frac{1}{64.4} - \frac{1}{2(64.4)^2} (1 - e^{-2(64.4)}) = .015$

$R = \frac{1}{0.01} (0.044)(.13)(.05)(.53 + .47(.047)) = .13$ $R = \frac{1}{0.01} (0.044)(.13)(.15)(.53 + .47(.015)) = .21$

$Q = \frac{1}{1 + 0.63 \left(\frac{250 + 93}{381.2} \right)^{0.63}} = .793$ $Q = \frac{1}{1 + 0.63 \left(\frac{80 + 93}{381.2} \right)^{0.63}} = .850$

$G_F = 0.925 \left(\frac{1 + 1.7(.275)}{1 + 1.7(3.4)(.275)} \right) \left(\frac{(44)^3 (.793)^2 + (422)^3 (.15)^2}{1 + 1.7(3.4)(.275)} \right)$ $G_F = 0.925 \left(\frac{1 + 1.7(.275)}{1 + 1.7(3.4)(.275)} \right) \left(\frac{(44)^3 (.85)^2 + (422)^3 (.15)^2}{1 + 1.7(3.4)(.275)} \right)$

$G_F = .817$ $G_F = .863$

Page 7 of 7

Wind Design

East Wing Pressures

$$p = qG C_p - q_i (G C_{pi})$$

Wall	N-S.	E-W
Windward	$C_p = 0.8$	$C_p = 0.8$
Side Wall	$C_p = -0.7$	$C_p = -0.7$
Leeward	$C_p = \frac{L}{B} = \frac{30}{250} = .32$ $C_p = -0.5$	$C_p = \frac{250}{90} = 2.125$ $C_p = -0.25$ by interpolation

Roof

$\theta = 0^\circ$ $\frac{h}{L} = \frac{93}{80} = 1.162$ $\frac{h}{L} = \frac{93}{250} = .372$

$\frac{h}{2} = \frac{93}{2} = 46.5$ $C_p = -0.9$ for 0 to h

$2h = 186$ $C_p = -0.5$ for h to $2h$

Roof area $\gg 1000$ sf R.F. = .8 $C_p = -0.3$ for $> 2h$

$C_p = -1.3$ for 0 to $h/2$

$C_p = -0.7$ for $> h/2$

$p = 55.8(.317)(0.8) - 55.8(\pm .18) = 9.51$ $p = 55.8(.863)(0.8) - 55.8(\pm .18)$

$= 36.5 \pm 10.1$ $= 38.6 \pm 10.1$

$= 46.6$ or 26.4 psf $= 48.7$ or 28.5 psf

at roof height, windward wall

* See Excel for rest of calculations

Wind Forces Breakdown

Appendix C: Miami, FL, Seismic Load Calculations

Seismic Analysis Pg 1 of 1

For Miami Florida, Site Class D

$$S_s = 0.050g \quad S_{ms} = 0.080g \quad S_{ps} = 0.053g$$

$$S_1 = 0.019g \quad S_{m1} = 0.047g \quad S_{p1} = 0.031g$$

From Table 12.2-1

$R = 3.5$ for ordinary steel moment frames
 $\rho = 3$
 $C_d = 3$

$R = 3.25$ for ordinary steel concentrically braced frames
 $\rho = 2$
 $C_d = 3.25$

From Table 11.6-1 ASCE 7-05
 $S_{ps} < 0.16 >$ Occupancy Category III \Rightarrow
 Seismic Category A.

Section 11.7 of code
 $V = .01(W) \quad W \approx 23,000 \text{ kips}$

$$V = .01(23,000) = 230 \text{ kips}$$

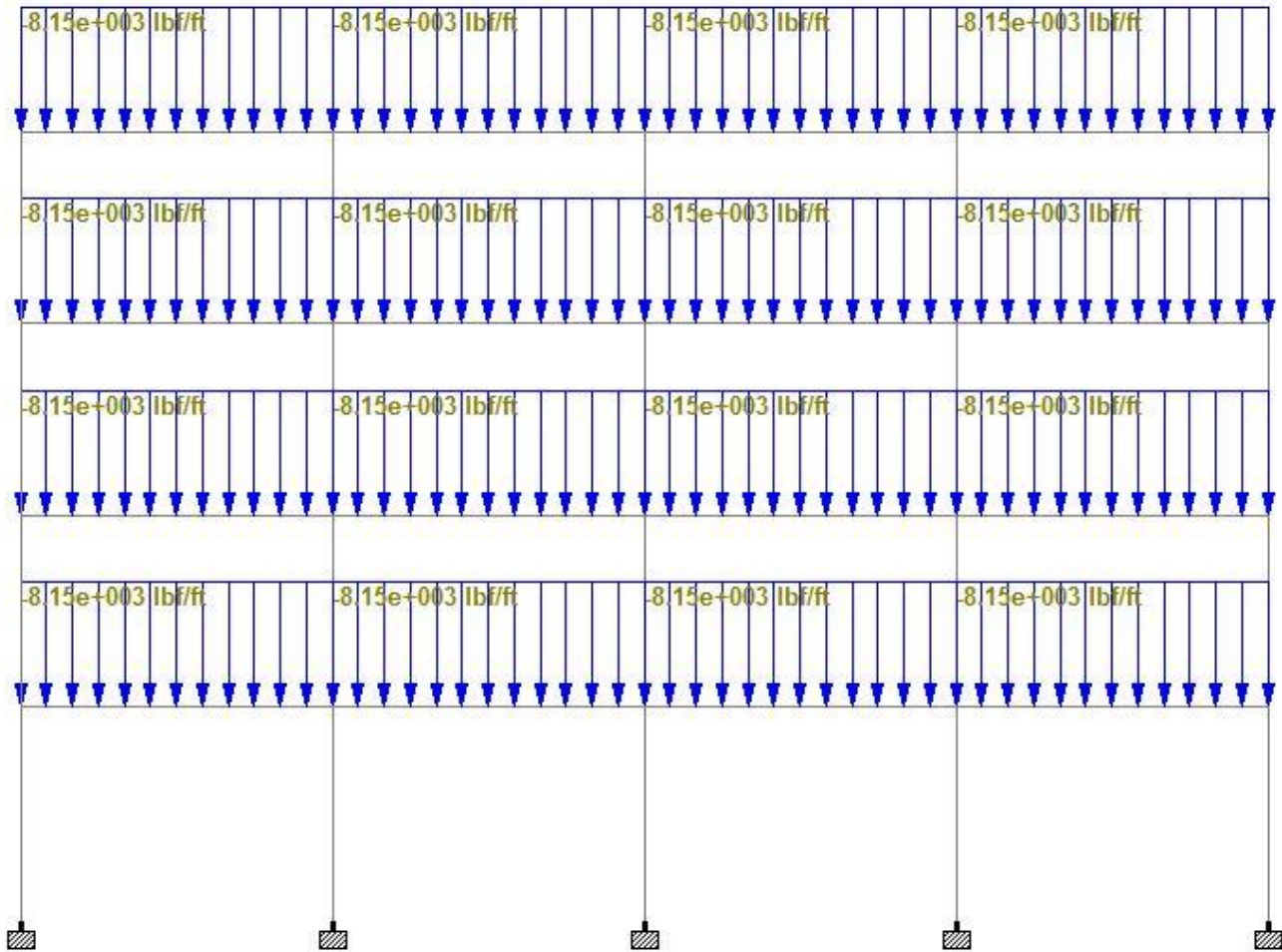
$$F_x = 0.01W_x = 130 \text{ kips at 1st for west wings}$$

See rest on excel

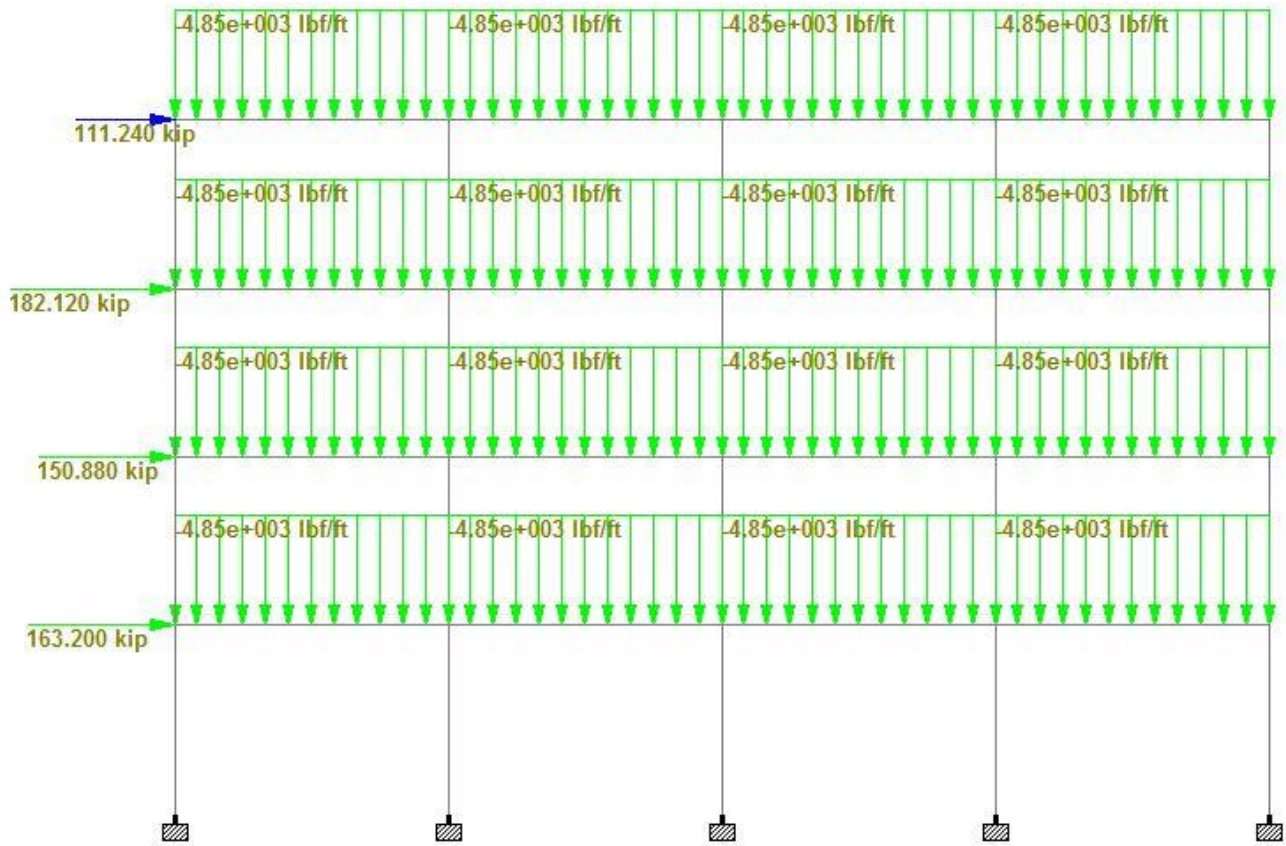
$$F_x = 0.01(12,600) = 126 \text{ kips at 1st for East wings}$$

See rest on excel.

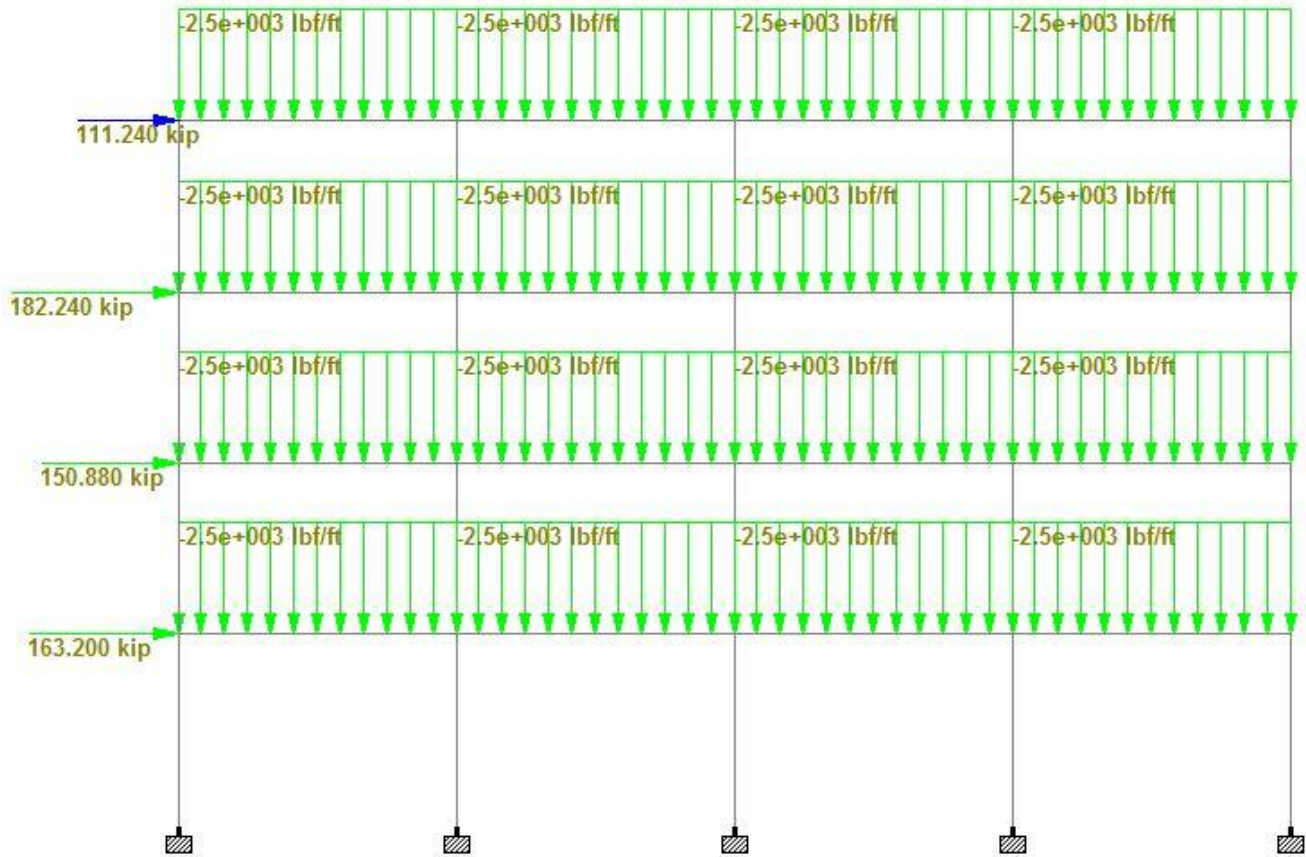
Appendix D: Moment Frame Design



1.2D+1.6L on Frame A



1.2D+1.6W+0.5L on Frame A



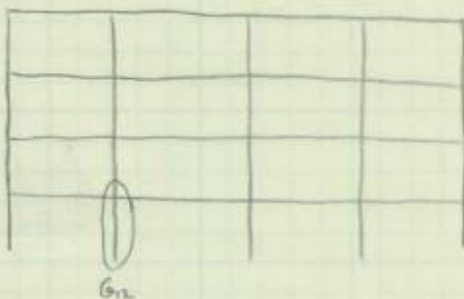
0.9D+1.6W on Frame A

Frame A will be used for this preliminary design

Check for dead + live load.

$$G12 = W14 \times 257$$

Frame D



$$\text{ tributary area} = 26' \times 25' = 650 \text{ ft}^2$$

Load = 3 Floors + 1 roof

$$LL_{red} = 0.25 + \frac{15}{\sqrt{4.3(650)}} = 0.42$$

$$P_L = 100(0.42)(650) = 27,300 \qquad 27,300(3) = 81,900$$

$$P_D = 93(650) = 60,450 \qquad 60,450(3) = 181,350$$

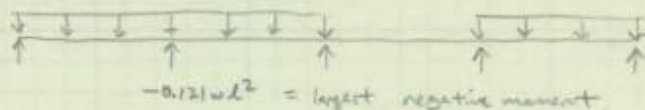
$$P_{UF} = 20(650) = 13,000$$

$$P_{DR} = 20(650) = 13,000$$

$$P_S = 30(650) = 19,500$$

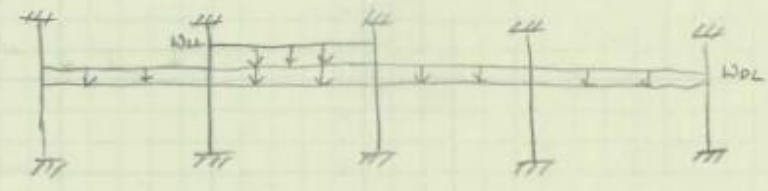
$$P_u = 1.2(181,350 + 13,000) + 1.6(81,900 + 13,000) + .5(19,500) = 374.9 \text{ Kips}$$

The following loadings give the largest moments on beams.



Moment Frame Design Thesis Page 2 of 3

Columns continue

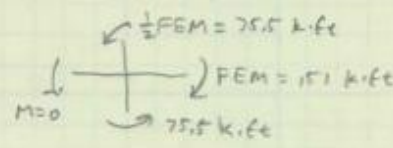


$$W_u = 1.2(93)(25) + 1.6(100)(25)(.67) = 6.79 \text{ klf}$$

$$U_{red} = 0.25 + \frac{15}{\sqrt{2(25)(26)}} = .67$$

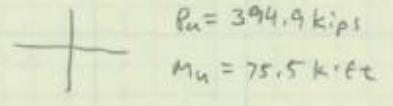
Dead load unbalanced moment ≈ 0
 Live load unbalanced moment

$$W_{Lu} = 1.6(100)(25)(.67) = 2.68 \text{ klf}$$

$$FEM_u = \frac{2.68(26)^2}{12} = 151 \text{ k}\cdot\text{ft}$$


$$\frac{1}{2} FEM = 75.5 \text{ k}\cdot\text{ft}$$

$$FEM = 151 \text{ k}\cdot\text{ft}$$

$$M = 0$$


$$P_u = 394.9 \text{ kips}$$

$$M_u = 75.5 \text{ k}\cdot\text{ft}$$

$$P_{u2} = 394.9 + \frac{25(75.5)}{14} = 530 \text{ K}$$

Use Column W14 x 90 $\phi P_n = 877 \text{ K} @ 20 \text{ ft}$

Beam sizes

$$W_L = \frac{.65(100)(25)}{1000} = 1.625 \text{ klf}$$

$$W_D = \frac{93(25)}{1000} = 2.325 \text{ klf}$$

$$W_u = 1.2(2.325) + 1.6(1.625) = 5.39 \text{ klf}$$

$$\frac{W_u L^2}{12} = \frac{5.39(30)^2}{12} = 404.25 \text{ k}\cdot\text{ft}$$

W18 x 97 with $\phi M_p = 495 \text{ k}\cdot\text{ft} @ 30'$ unbraced

Moment Frame Design PS 3 ✓ 3

Portal Method Analysis

Frame A

1.6W load

Story 4

$\sum MA = 13.9(9) + 36.7(9) - F_{AB}(13) = 0$
 $F_{AB} = 31.1 \text{ k}$
 $M_{AC} = 31.1(13) = 404.3 \text{ k}\cdot\text{ft} \approx 380 \text{ STAAD model Load.}$

Use load from STAAD model.

Determining sizes

For $C_1 \Rightarrow P_r = 864 \text{ kip}$
 $M_r = 923 \text{ k}\cdot\text{ft}$

Try W 14 x 342 $\Rightarrow P_c = 3760$
 $M_c = 1270$

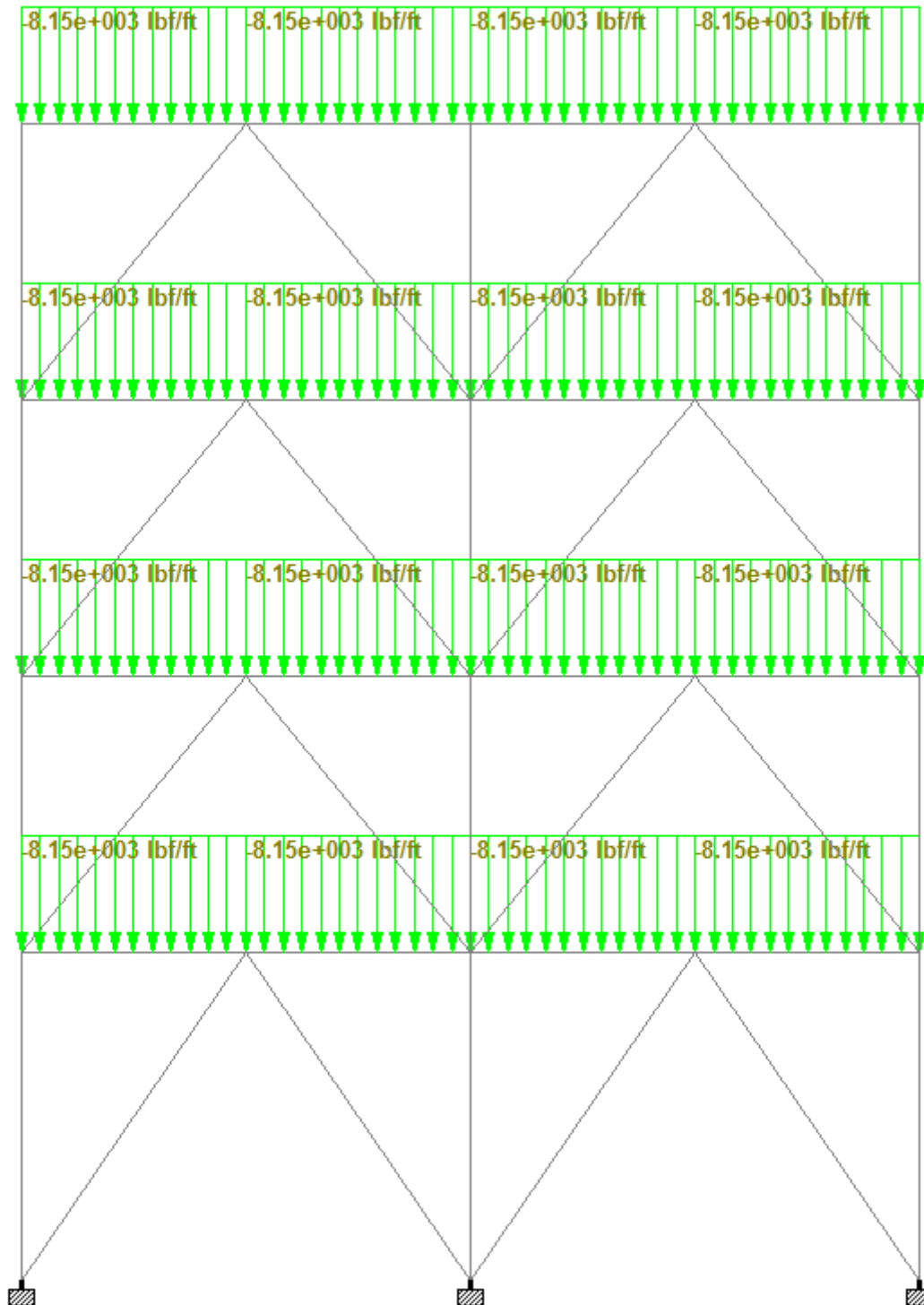
$\frac{P_r}{P_c} = \frac{864}{3760} = .23 \geq 0.20$ $\frac{M_r}{M_c} = \frac{923}{1270} = .73$
 $.23 + \frac{P}{9}(.73) = .88 \text{ works}$

Try W 14 x 311 $\Rightarrow P_c = 3390$
 $M_c = 1140$

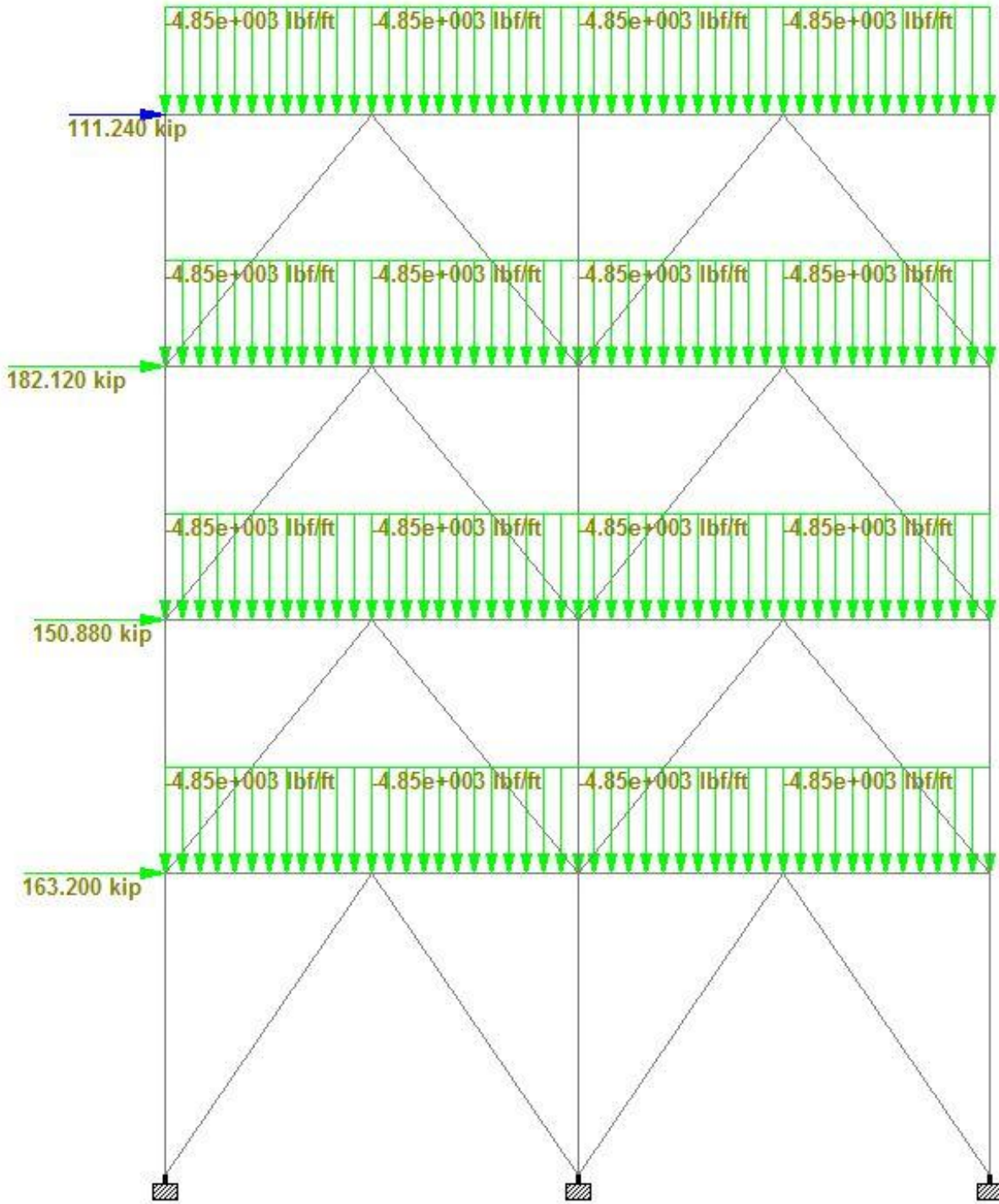
$\frac{P_r}{P_c} = \frac{864}{3390} = .254 \geq 0.20$ $\frac{M_r}{M_c} = \frac{923}{1140} = .81$
 $.254 + \frac{P}{9}(.81) = .974 \text{ works } \checkmark$

For $B_1 \Rightarrow M_u = 1189 \text{ k}\cdot\text{ft}$
 Most economical = W 27 x 146 Table 3-10 Steel Manual.

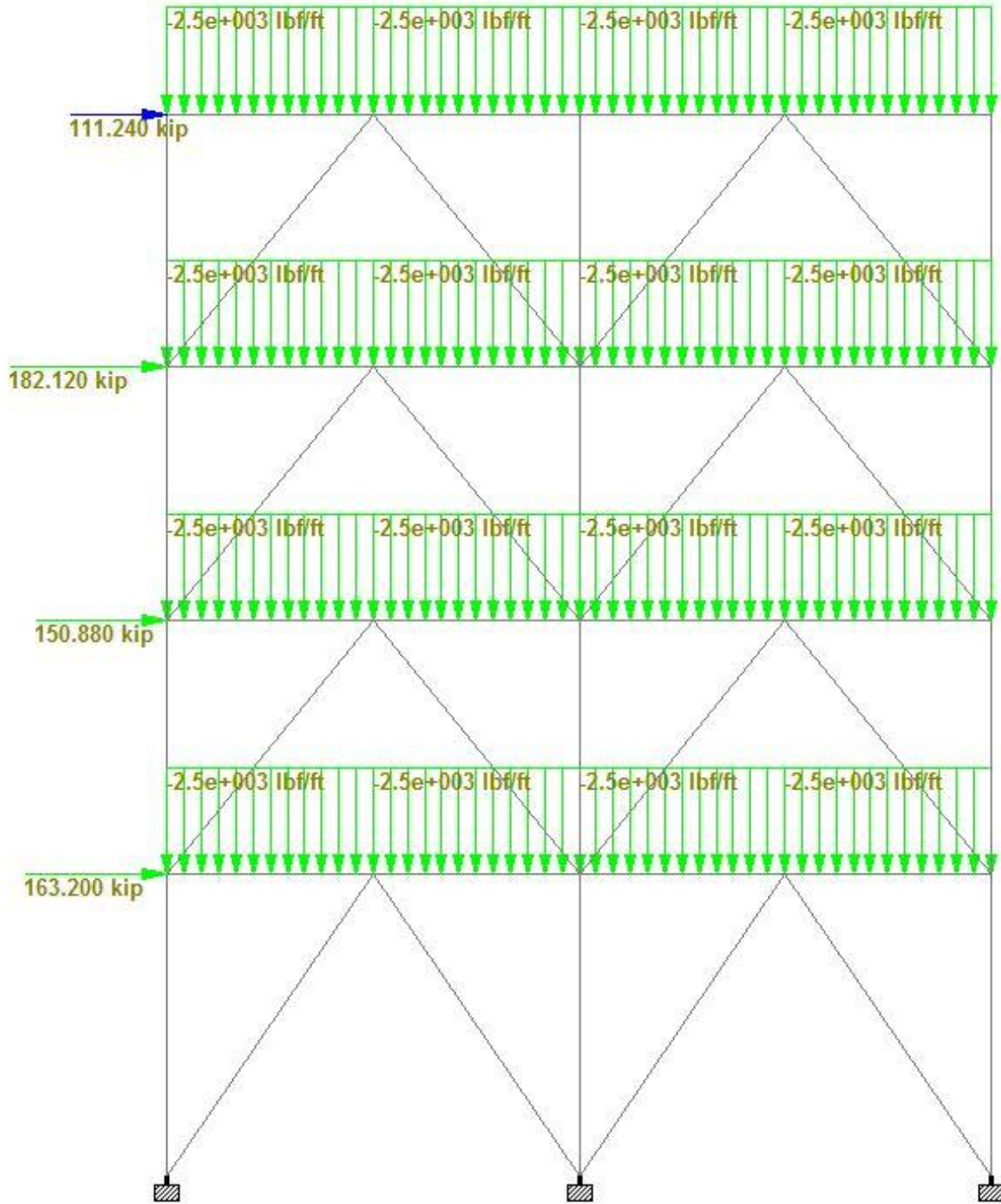
Appendix E: Chevron Braced Frame Design



1.2D+1.6L on Frame A



1.2D+1.6W+0.5L on Frame A



0.9D+1.6W on Frame A

Calculation Braced Frame	Thesis	Page 1 of 3
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Preliminary Calculations for Braced Frame G in the West Wing

Frame A
West Wing

Select Trial Sizes
by strength design

- Columns
We loads obtained from STAAD.

Set of loads on columns. Columns will be the same size.
So column size $C_1 = C_2 = C_3$

set of loads $C_1 \rightarrow$

$P_u = 417\text{ k}$	$M_u = 12\text{ k}\cdot\text{ft}$	X west control
$P_u = 14\text{ k}$	$M_u = 73\text{ k}\cdot\text{ft}$	\rightarrow try

$C_2 \rightarrow$

$P_u = 592\text{ k}$	$M_u = 0$	\rightarrow try
$P_u = 354\text{ k}$	$M_u = 55\text{ k}\cdot\text{ft}$	X west control

$C_3 \rightarrow$

$P_u = 508\text{ k}$	$M_u = 57\text{ k}\cdot\text{ft}$	\rightarrow try
----------------------	-----------------------------------	-------------------

W14x109 is more than sufficient, based on inspection.
 $D_P = 1130\text{ k}$ $M_P = 34\text{ k}\cdot\text{ft}$
 Can try smaller, depends on drift.

- Beams

$B_1 \rightarrow$

$P_u = 250\text{ k}$	$M_u = 47\text{ k}\cdot\text{ft}$
$P_u = 68\text{ k}$	$M_u = 190\text{ k}\cdot\text{ft}$
$P_u = 230\text{ k}$	$M_u = 102\text{ k}\cdot\text{ft}$

$B_2 \rightarrow$

$P_u = 137\text{ k}$	$M_u = 125\text{ k}\cdot\text{ft}$
----------------------	------------------------------------

W24x62 is more than sufficient

Calculation Braced Frame Page 2 of 3

• Bracings

$P_u = 324 \text{ k}$	on	1st Floor	}	controlling levels
$P_u = 240 \text{ k}$	on	2nd Floor		
$P_u = 181 \text{ k}$	on	3rd Floor		
$P_u = 113 \text{ k}$	on	4th Floor		

check for buckling.

$$F = \frac{\pi^2 EI}{(KL)^2}$$

$$324 = \frac{\pi^2 (29,000)(I_{req})}{(23+2)^2} \Rightarrow I_{req} = 86.3 \text{ in}^4$$

$$240 = \frac{\pi^2 (29,000)(I_{req})}{(21+2)^2} \Rightarrow I_{req} = 53.3 \text{ in}^4$$

$$181 = \frac{\pi^2 (29,000)(I_{req})}{(21+2)^2} \Rightarrow I_{req} = 40.2 \text{ in}^4$$

$$113 = \frac{\pi^2 (29,000)(I_{req})}{(21+2)^2} \Rightarrow I_{req} = 25.1 \text{ in}^4$$

Buckling isn't much of a problem.

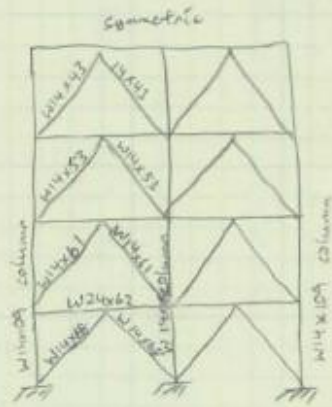
1st Floor	$\Rightarrow W 14 \times 68 = \phi P_n = 330 \text{ k}$	⊙ 24' unbraced length	$I = 722 \text{ in}^4$
2nd Floor	$\Rightarrow W 14 \times 61 = \phi P_n = 345 \text{ k}$	⊙ 22' unbraced length	$I = 640 \text{ in}^4$
3rd Floor	$\Rightarrow W 14 \times 53 = \phi P_n = 186 \text{ k}$	⊙ 22' unbraced length	$I = 541 \text{ in}^4$
4th Floor	$\Rightarrow W 14 \times 43 = \phi P_n = 146 \text{ k}$	⊙ 22' unbraced length	$I = 428 \text{ in}^4$

Calculation Based Frame

Thesis

Page 3 of 3

Preliminary sizes chosen for braced frame.



Final sizes will be chosen on ETAB design
Must be at least this sizes

Appendix F: Foundation Design

Mat Foundation Thesis Page 1 of 3

Designing a typical Mat Foundation

Simplified with assumptions due to lack of geotech report, For west wing

150'

West Wing

160'

Load Cases:
 D
 D+L
 D+W
 D+.75W+.75L
 0.6D+W

- Try $D_f = 10$ ft
- Assume soil has improvements to make $c_u = 2500$ lb/ft²
- Total dead + live load = 18000 k
- We need to check for bearing and uplift in foundation design.
- 0.6D+W load combo controls foundation design because it causes an uplift on one side of the foundation.
- The other load combos may control for bearing.

Breaced West Wing

□ = lateral load columns
 + = gravity columns

30'
30'
30'
30'
20'

26' 26' 26' 20'

85K 178K 368K

Column A needs to be designed for uplift
 Column C needs to be designed for bearing capacity

Since it's a mat foundation, even its huge which lowers the stress on the soil,
 Frame in the N-S direction does not control design.

$$A = 150(160) = 24,000 \text{ ft}^2$$

$$I_x = \frac{1}{12}(150)(160)^3 = 51.2E6 \text{ ft}^4$$

$$D = \text{Axial load on Columns} = 18,000 \text{ k}$$

$$I_y = \frac{1}{12}(160)(150)^3 = 45E6 \text{ ft}^4$$

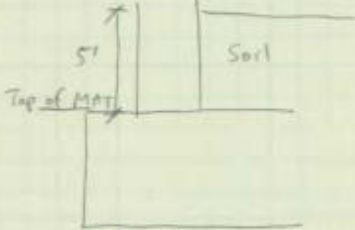
$$e_x = x' - \frac{b}{2} = .3$$

$$e_y = y' - \frac{h}{2} = .2$$

$$q = \frac{18,000}{24,000} \pm \frac{.3(18,000)}{45E6} \pm \frac{.2(18,000)}{51.2E6}$$

For A = .75 - .09 - .06 = .6 = 600 lb/ft²

For C = .75 + .09 + .06 = .9 = 900 lb/ft² < 2500 lb/ft² ✓ $\frac{2500}{900} = \text{F.S.} = 2.8$

Mat Foundation	Thesis	Page 2 of 3
<p>Amount of soil over column A to stop uplift.</p> 	<p>Assume compact fill is $\gamma = 120 \text{ lb/ft}^3$</p> <p>$4'(120)(30)(24) = 374 \text{ k}$ of soil keeping column A down, from uplift.</p>	
	<p>F.S. = $\frac{85}{374} = 4.4$</p>	
	<p>So bearing and uplift has been satisfied</p>	
	<p>Design foundation size and reinforcing</p>	
	<p>$q_{av} = \frac{900 + 600}{2} = 750 \text{ lb/ft}^2$</p>	
	<p>$q_{av} B L = 750(26)(160) = 312 \text{ kips}$</p>	
	<p><u>Thickness of Mat Slab</u> * Assume load factor of 2.5 Critical Section is for diagonal tension shear at Column A.</p>	
	<p>$b_0 = (0.5 + \frac{d}{2}) + (0.5 + \frac{d}{2}) + (0.5 + d) = 1.5 + 2d$</p>	
	<p>$U = 2.5 \left(\frac{312}{4} \right) = 230$</p>	
	<p>$230,000 = (1.5 + 2d)(d) [0.8 + (34) \sqrt{4000}]$</p>	
	<p>$15724 = 1.5d + 2d^2$</p>	
	<p>$d = 87'' \approx 7.3 \text{ ft} \approx \text{we use } \boxed{7'-6'' \text{ ft}} \Rightarrow D_c = 11'-6''$</p>	

Mat Foundations Thesis Page 3 of 3

For Moment West Wing

Bearing is less critical here since it is more spread out. So using a $D_f = 10'$ or 4' soil above MAT is sufficient

Thickness of MAT

Critical section at Column E with 284 k, Column D = 258 k

$$U = (2.5 \left(\frac{284}{4} \right)) = 162$$

$$162,000 = (1.5 + 2d)(d) \left[0.85 \left(\frac{34}{4} \right) \sqrt{4000} \right]$$

$$8100 = 1.5d + 2d^2$$

$$d = 67.2'' \approx 5.6 \text{ ft} \approx \text{use } 6 \text{ ft} \Rightarrow D_f = 10'$$

Reinforcing

Same as braced frame.

Summary

Typical Mat Foundations

	<u>Braced</u>	<u>Moment</u>	<u>Current</u>
F.S. for strength =	2.5	2.5	/
F.S. for uplift =	4.4	not an issue	/
F.S. for bearing =	2.8	2.8	/
Depth into Earth =	11'-6"	10'	8'-8"
Thickness of Mat =	7'-6"	6'	4'

Appendix G: Welded Braced Connection Design

Connections	Thesis	Page 1 of 4
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$T = 487 \text{ kip}$
 $C = 519 \text{ kip}$

$WT 7 \times 24$
 Section A-A

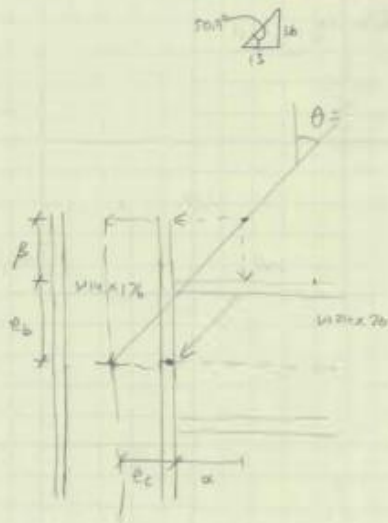
A: Limit States for Brace, W14x74

$W14 \times 74$ $A = 21.8$ $t_w = .45$ $t_c = .785$	Tension Yielding: $\phi R_n = 0.9(50)(21.8) = 981 \text{ k}$ Tension Rupture: $\phi R_n = 0.75(65)(.668)(21.8) = 922 \text{ k}$ Weld Rupture: $\phi R_n = 0.75(0.6)(70)(.707)(1/16)[(9)(20) + (9)(8)](2)$ $= 1.392 [9(20) + 9(8)](2) = 761 \text{ k}$ 'or' take max $= 1.392 [0.35(9)(20) + 9(8)(1.5)](2) = 726 \text{ k}$	$WT 7 \times 37 \quad g = 1.32$ $U = 1 - \frac{1.32}{10} = .868$
--	---	---

Base metal: $\phi R_n = 0.75(0.6)(65)(.45)(28)(2) = 789 \text{ k}$
Block Shear: $\phi R_n = 0.75[0.60(65)(20) + 1.0(65)(8)](2) \leq 0.75[2(40)(50)(20) + (65)(8)](2)$
 $= 1740 \text{ k} \leq 1344 \text{ k} = 1344 \text{ k}$ controls good!

Controlling = 726 k > 519 k ok

Page 2 of 4



$$\alpha = e_b \tan \theta - e_c$$

$$\alpha = \frac{20}{2} = 15''$$

$$\beta = \frac{11}{2} = 5.5''$$

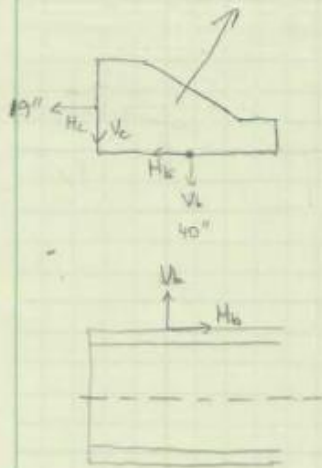
$$e_b = 11.9''$$

$$e_c = 6.1''$$

$$\frac{e_c + \alpha}{e_b + \beta}$$

$$\frac{6.1 + 15}{11.9 + 5.5} = 70.8$$

$$\theta = 30.5 \approx 30.9 \text{ deg}$$



$$r = \sqrt{(6.1 + 15)^2 + (11.9 + 5.5)^2}$$

$$r = 27.3$$

$$V_c = \frac{5.5}{27.3} (519) = 104.5 \text{ k}$$

$$H_c = \frac{6.1}{27.3} (519) = 116 \text{ k}$$

$$H_b = \frac{15}{27.3} (519) = 285 \text{ k}$$

$$V_b = \frac{11.9}{27.3} (519) = 226 \text{ k}$$

B: Brace-to-Gusset WT_c

Tension Yielding = $\phi R_n = 0.9(50)(7.07)(2) = 636k$ ok

Tension Rupture = $\phi R_n = 0.75(65)(7.07)(2)(1) = 780k$

Weld Rupture = "same" = $\phi R_n = 726k$

Base Metal = $0.75(0.6)(65)(.65)(2)(2) = 1064k$

Block Shear = Does not control by inspection.

Compression = $\phi R_n = 0.90(50)(7.07)(2) = 636k$

Controlling = $636k > 519k$ ok

$\frac{KL}{r} = \frac{205}{1.88} = 10.9 < 25$

Gusset

$A \approx 19.9in^2$

C: Gusset Plate

Tension Yielding = $\phi R_n = 0.9(36)(19.9) = 645k$

Tension Rupture = $\phi R_n = 0.75(58)(19.9) = 865k$

Weld Rupture = "same" when WT is welded 10" on gusset plate.
 $\phi R_n = 726k$

Base Metal = $\phi R_n = 658k$ "same thickness"

Block Shear = $\phi R_n = 1344k$

Compression = $\phi R_n = 0.90(36)(19.9) = 645k$

Controlling = $645k > 57k$ ok

D: Gusset to Beam Connection (look at pg 2 for forces)

Weld Rupture : $\phi R_n = 1.392((2)(6)(30)(1.5)) = 751k > 226k = V_b$ ✓

: $\phi R_n = 1.392((2)(6)(30)(1.0)) = 501k > 285k = H_b$ ✓

Beam web yielding

$\phi R_n = 1.0(5(1.18) + (30)(50)(.44)) = 789.8k$ ok

Beam web crippling

$\phi R_n = 0.75(0.80)(.44)^2 \left[1 + 3 \left(\frac{30}{23.9} \right) \left(\frac{.44}{.66} \right)^{1.75} \right] \sqrt{\frac{29,000(70)(.66)}{.44}}$
 $= 521k$ ok

W 24x76

$A = 22.4$

$d = 23.9$

$t_w = .44$

$t_f = .66$

W 14x76

$A = 21.6$

$k_{dc} = 1.91$

$t_w = .83$

$t_f = 1.31$

$d = 15.2$

E: Gusset to Column Connection

Weld Rupture : $\phi R_n = 1.392((2)(6)(11)(1.5)) = 275k > 116k$ ✓

: $\phi R_n = 1.392((2)(6)(11)) = 183k > 105k$ ✓

F: Beam to Column Connection (Double Angle 2L 4x4 x 1/2 x 16)

weld Rupture due to eccentricity shear

$C = 2.65, C_1 = 1.0, D = 7/16"$

$\phi R_n = .75(1.0)(2.65)(7)(16)(2) = 445.2k > 251k$

$l = 16"$

$k = \frac{3.5}{16} = .22$

$x = .033$

$xL = .53"$

$ok. a_1 = \frac{7-.53}{16} = .26$

Page 4 of 4

F: continue

Beam Web Strength at Weld

$$\phi V_n = \frac{0.75(16)(65)(.44)(1.0)}{1.392(7)(1.0)} (445.2) = 588^k > 68^k$$

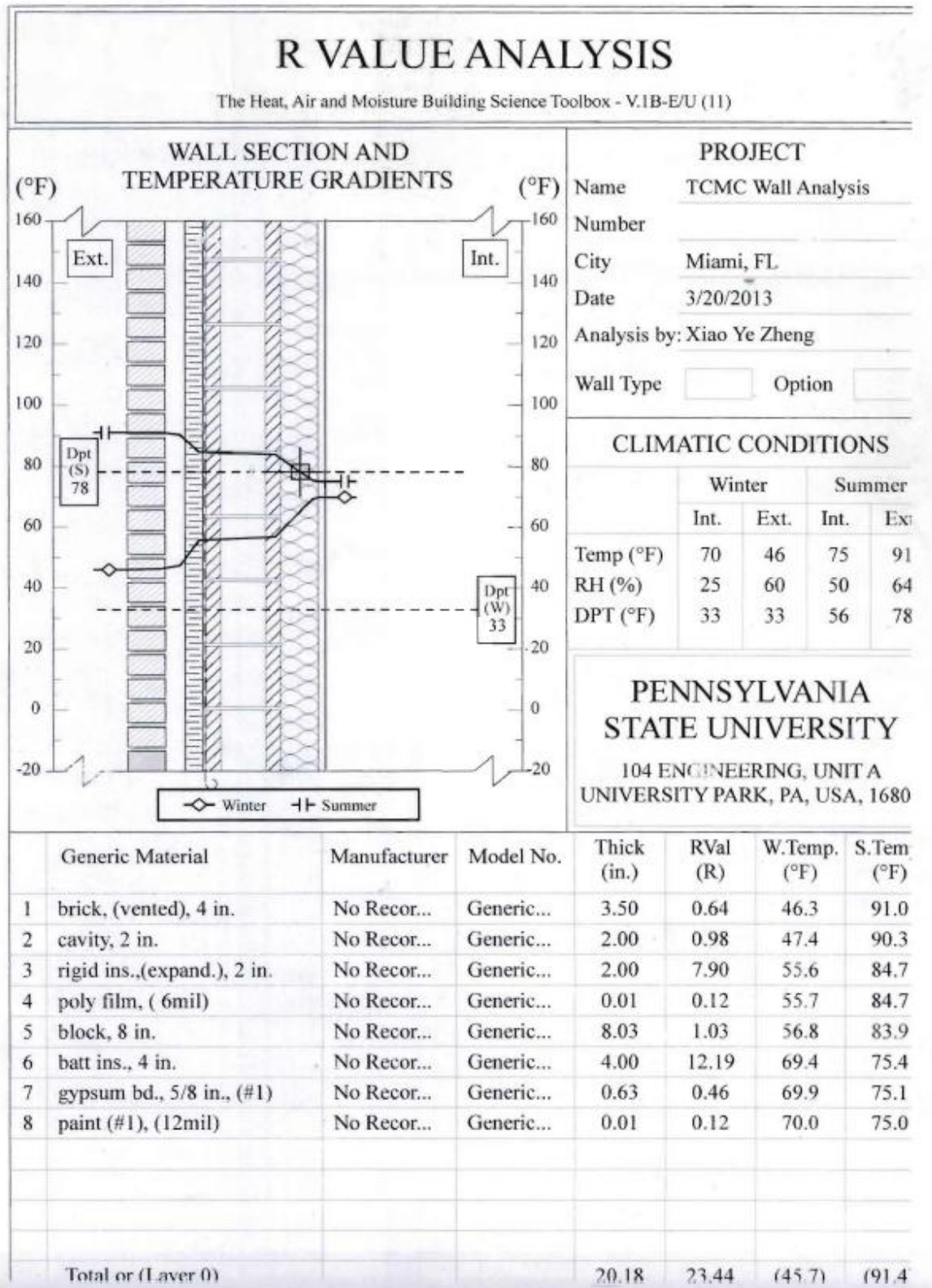
$$\text{Angle: Tension Yield } \phi R_n = 0.9(36)(16)(\frac{1}{2})(2) = 518.4^k$$

$$\text{Tension Rupture } \phi R_n = .75(58)(16)(\frac{1}{2})(2) = 696^k$$

Column Weld Rupture Strength.

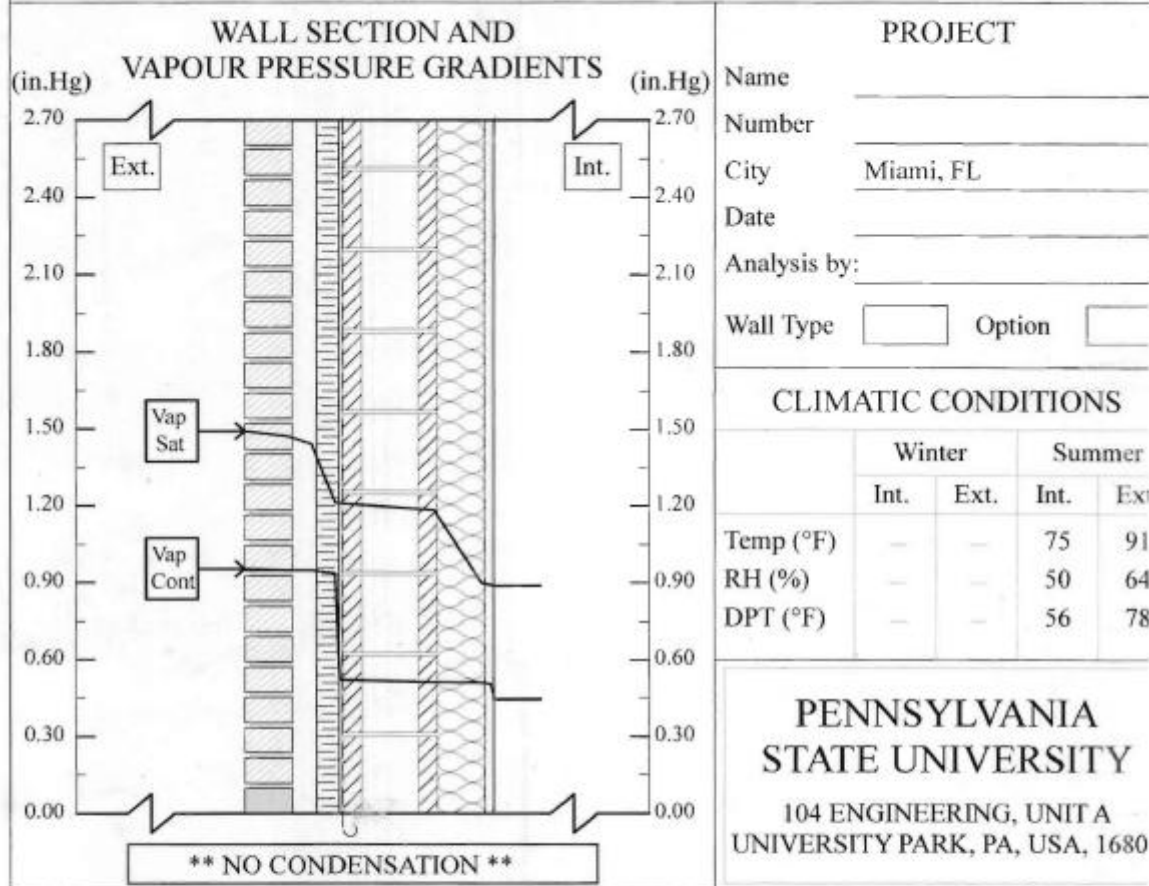
$$\phi V_n = \frac{2(16)^2(1.392)(8)}{\sqrt{(16)^2 + 12.96(4.42)^2}} = 252^k > 68^k \quad e = 4 + \frac{83}{2} = 4.42$$

Appendix H: Façade Breadth



CONDENSATION ANALYSIS

The Heat, Air and Moisture Building Science Toolbox - V.1B-E/U (11a)



PROJECT

Name _____

Number _____

City Miami, FL

Date _____

Analysis by: _____

Wall Type Option

CLIMATIC CONDITIONS

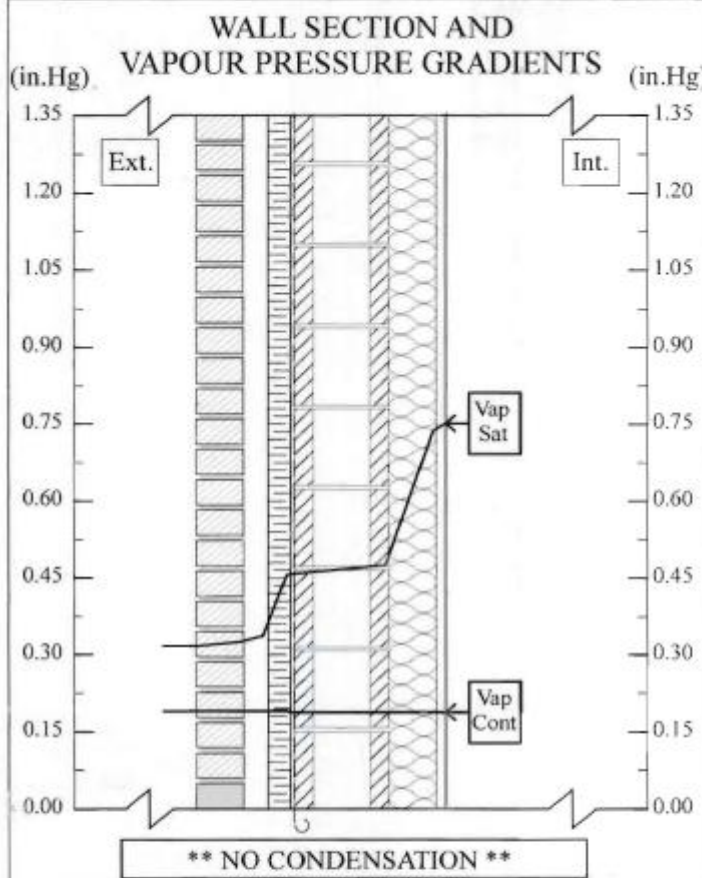
	Winter		Summer	
	Int.	Ext.	Int.	Ext.
Temp (°F)	-	-	75	91
RH (%)	-	-	50	64
DPT (°F)	-	-	56	78

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 UNIVERSITY PARK, PA, USA, 1680

	Material	Manufacturer	Model No.	Rvap (1/M)	Temp (°F)	VapSat (in.Hg)	VapCo (in.Hg)
1	brick, (vented), 4 in.	No Recor...	Generic...	0.191	90.6	1.449	0.935
2	cavity, 2 in.	No Recor...	Generic...	0.016	89.9	1.419	0.935
3	rigid ins.,(expand.), 2 in.	No Recor...	Generic...	0.515	84.5	1.195	0.922
4	poly film, (6mil)	No Recor...	Generic...	16.827	84.4	1.192	0.515
5	block, 8 in.	No Recor...	Generic...	0.418	83.7	1.166	0.505
6	batt ins., 4 in.	No Recor...	Generic...	0.040	75.4	0.887	0.504
7	gypsum bd., 5/8 in., (#1)	No Recor...	Generic...	0.229	75.1	0.878	0.498
8	paint (#1), (12mil)	No Recor...	Generic...	2.488	75.0	0.876	0.438
9							
10							
11							
12							
	TOTAL (or (1 aver 0))			20.810	(91.0)	(1.469)	(0.940)

CONDENSATION ANALYSIS

The Heat, Air and Moisture Building Science Toolbox - V.1B-E/U (11a)



PROJECT

Name _____

Number _____

City Miami, FL

Date _____

Analysis by: _____

Wall Type Option

CLIMATIC CONDITIONS

	Winter		Summer	
	Int.	Ext.	Int.	Ext.
Temp (°F)	70	46	-	-
RH (%)	25	60	-	-
DPT (°F)	33	33	-	-

**PENNSYLVANIA
STATE UNIVERSITY**

104 ENGINEERING, UNIT A
UNIVERSITY PARK, PA, USA, 1680

	Material	Manufacturer	Model No.	Rvap (1/M)	Temp (°F)	VapSat (in.Hg)	VapCo (in.Hg)
1	brick, (vented), 4 in.	No Recor...	Generic...	0.191	46.7	0.320	0.187
2	cavity, 2 in.	No Recor...	Generic...	0.016	47.7	0.332	0.187
3	rigid ins.,(expand.), 2 in.	No Recor...	Generic...	0.515	55.7	0.448	0.187
4	poly film, (6mil)	No Recor...	Generic...	16.827	55.9	0.450	0.185
5	block, 8 in.	No Recor...	Generic...	0.418	56.9	0.468	0.185
6	batt ins., 4 in.	No Recor...	Generic...	0.040	69.4	0.725	0.185
7	gypsum bd., 5/8 in., (#1)	No Recor...	Generic...	0.229	69.9	0.737	0.185
8	paint (#1), (12mil)	No Recor...	Generic...	2.488	70.0	0.740	0.185
9							
10							
11							
12							
	TOTAL or (Layer 0)			20.810	(46.0)	(0.312)	(0.187)

Appendix I: Solar Panel Breadth



HIT[®] Photovoltaic Module

HIT[®] Power 220A

VBHN220AA01

HIT Delivers More Real World Performance

- 19.8 % cell conversion efficiency
- Hybrid cell produces the highest output on cloudy days
- Highest warranted tolerance: -0/+10 %
- Most PTC Watts: 204.4
- Lowest temperature coefficient: -0.33%
- Highest PTC/STC Ratio: 93%+



High Efficiency

HIT[®] Power solar panels are leaders in sunlight conversion efficiency. Obtain maximum power within a fixed amount of space. Save money using fewer system attachments and racking materials, and reduce costs by spending less time installing per Watt.

Power Guarantee

The power ratings for HIT Power panels guarantee customers receive 100% of the nameplate rated power (or more) at the time of purchase, enabling owners to generate more kWh per rated Watt, quicken investments returns, and help realize complete customer satisfaction.

Temperature Performance

As temperatures rise, HIT Power solar panels produce 10% or more electricity (kWh) than conventional crystalline silicon solar panels at the same temperature.

Valuable Features

The packing density of the panels reduces transportation, fuel, and storage costs per installed watt.

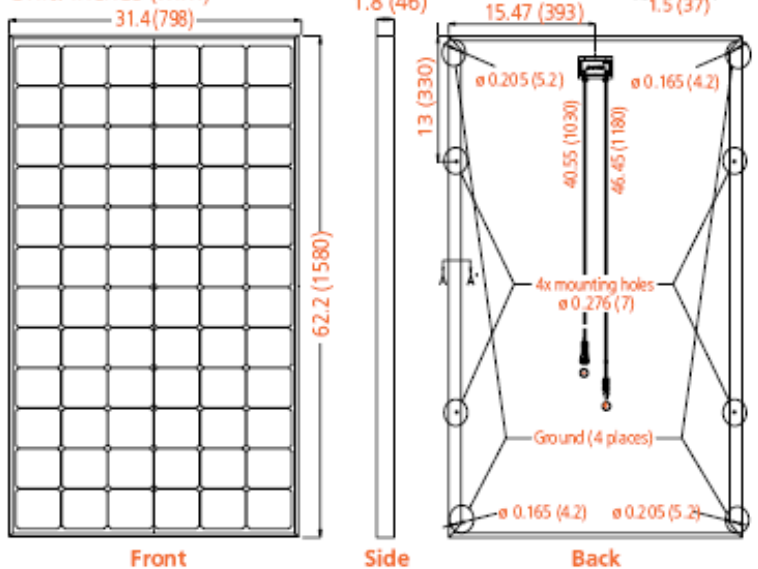
American Made Quality

Our silicon wafers located inside HIT solar panels are made in Oregon, and the panels are assembled in an ISO 9001 (quality), 14001 (environment), and 18001 (safety) certified factory. Unique eco-packing minimizes cardboard waste at the job site. The panels have a Limited 20-Year Power Output and 10-Year Product Workmanship Warranty.



Dimensions

Unit: inches (mm)

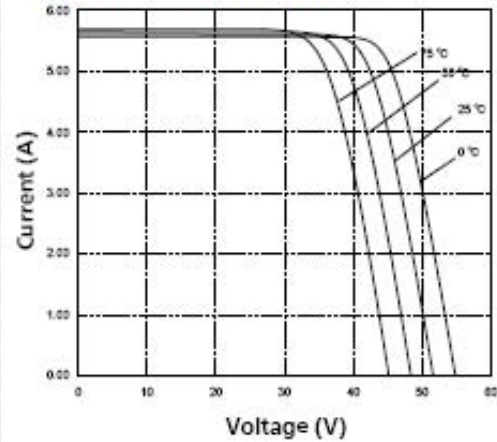


HIT® Power 220A

Electrical Specifications

Model	HIT Power 220A or VBHN220AA01
Rated Power (Pmax) ¹	220 W
Maximum Power Voltage (Vpm)	42.7 V
Maximum Power Current (Ipm)	5.17 A
Open Circuit Voltage (Voc)	52.3 V
Short Circuit Current (Isc)	5.65 A
Temperature Coefficient (Pmax)	-0.336%/ °C
Temperature Coefficient (Voc)	-0.145 V/ °C
Temperature Coefficient (Isc)	1.98 mA/ °C
NOCT	114.8°F (46°C)
CEC PTC Rating	204.4 W
Cell Efficiency	19.8%
Module Efficiency	17.4%
Watts per Ft. ²	16.22 W
Maximum System Voltage	600 V
Series Fuse Rating	15 A
Warranted Tolerance (-/+)	-0% / +10%

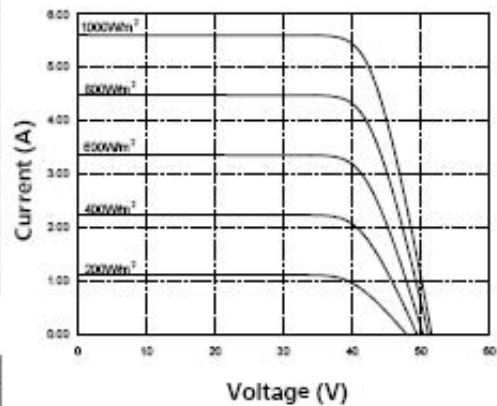
Dependence on Temperature



Mechanical Specifications

Internal Bypass Diodes	3 Bypass Diodes
Module Area	13.56 Ft ² (1.26m ²)
Weight	35.3 Lbs. (16kg)
Dimensions LxWxH	62.2x31.4x1.8 in. (1580x798x46 mm)
Cable Length +Male/-Female	46.45/40.55 in. (1180/1030 mm)
Cable Size / Type	No. 12 AWG / PV Cable
Connector Type ³	Multi-Contact® Type IV (MC4™)
Static Wind / Snow Load	60PSF (2880Pa) / 39PSF (1867Pa)
Pallet Dimensions LxWxH	63.2x32x72.8 in. (1607x815x1850 mm)
Quantity per Pallet / Pallet Weight	35 pcs./1322.7 Lbs (600 kg)
Quantity per 53' Trailer	980 pcs.

Dependence on Irradiance



Operating Conditions & Safety Ratings

Ambient Operating Temperature ²	-4°F to 115°F (-20°C to 46°C)
Hail Safety Impact Velocity	1" hailstone (25mm) at 52 mph (23m/s)
Fire Safety Classification	Class C
Safety & Rating Certifications	UL 1703, cUL, CEC
Limited Warranty	10 Years Workmanship, 20 Years Power Output

¹STC: Cell temp. 25°C, AM1.5, 1000W/m²
²Monthly average low and high of the installation site.
 Note: Specifications and information above may change without notice.
³Safety locking clip (PV-SSH4) is not supplied with the module.

"HIT" is a registered trademark of Panasonic Group. The name "HIT" comes from "Heterojunction with intrinsic Thin-layer" which is an original technology of Panasonic Group.

CAUTION! Please read the installation manual carefully before using the products.

**Panasonic Eco Solutions Energy Management North America
 Unit of SANYO North America Corporation**

10900 N. Tantau Ave., Suite 200
 Cupertino, CA 95014
 Phone 408-861-8424
 Fax 408-861-3990
<http://www.panasonic.com/solar>

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04/2012

SB 3300 / 3800 / 3800/V



Powerful

- > Efficiency up to 95.6 %
- > OptiCool active temperature management
- > The best tracking efficiency with OptiTrac MPP tracking

Safe

- > Galvanic isolation
- > Integrated ESS DC load-disconnecting unit
- > Rated nominal power at temperatures up to 45 °C

Flexible

- > For indoor and outdoor installation
- > Suitable for generator grounding



SUNNY BOY 3300 / 3800

The generalist

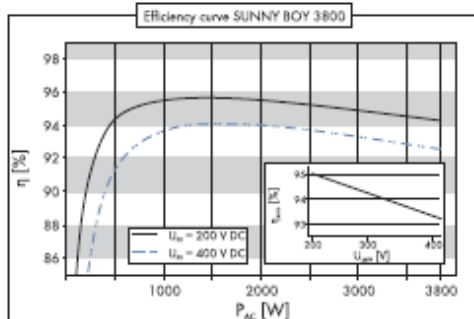
It is robust, easy-to-handle, and, thanks to its galvanic isolation, used in all kinds of AC grids: the Sunny Boy 3300 / 3800. Due to its suitability for generator grounding, it can be combined with all module types. The generously-proportioned die-cast aluminum housing together with the OptiCool active cooling system guarantee the highest yields and a long service life, even under extreme conditions.

Technical Data SUNNY BOY 3300 / 3800 / 3800/V

	SB 3300	SB 3800	SB 3800/V*
Input (DC)			
Max. DC power	3820 W	4040 W	4040 W
Max. DC voltage	500 V	500 V	500 V
PV-voltage range, MPPT	200 V - 400 V	200 V - 400 V	200 V - 400 V
Max. input current	20 A	20 A	20 A
Number of MPPT trackers	1	1	1
Max. number of strings (parallel)	3	3	3
Output (AC)			
Nominal AC output	3300 W	3800 W	3680 W
Max. AC power	3600 W	3800 W	3680 W
Max. output current	18 A	18 A	16 A
Nominal AC voltage / range	220 V - 240 V / 180 V - 260 V	220 V - 240 V / 180 V - 260 V	220 V - 240 V / 180 V - 260 V
AC grid frequency (self-adjusting) / range	50 Hz / 60 Hz / ±4.5 Hz	50 Hz / 60 Hz / ±4.5 Hz	50 Hz / 60 Hz / ±4.5 Hz
Phase shift (cos φ)	1	1	1
AC connection	single-phase	single-phase	single-phase
Efficiency			
Max. efficiency / Euro-Eta	95.2 % / 94.4 %	95.6 % / 94.7 %	95.6 % / 94.7 %
Protection devices			
DC reverse polarity protection	●	●	●
ESS DC load-disconnecting switch	●	●	●
AC short-circuit protection	●	●	●
Ground fault monitoring	●	●	●
Grid monitoring (SMA Grid Guard)	●	●	●
Galvanically isolated	●	●	●
General Data			
Dimensions (W / H / D) in mm	450 / 352 / 236	450 / 352 / 236	450 / 352 / 236
Weight	38 kg	38 kg	38 kg
Operating temperature range	-25 °C ... +60 °C	-25 °C ... +60 °C	-25 °C ... +60 °C
Noise emission (typical)	≤ 40 dB(A)	≤ 42 dB(A)	≤ 42 dB(A)
Consumption: operating (standby) / night	< 7 W / 0.1 W	< 7 W / 0.1 W	< 7 W / 0.1 W
Topology	LF transformer	LF transformer	LF transformer
Cooling concept	OptiCool	OptiCool	OptiCool
Mounting location: indoors / outdoors (IP65)	●/●	●/●	●/●
Features			
DC connection: MC3 / MC4 / Tyco	●/○/○	●/○/○	●/○/○
AC connection: plug connector	●	●	●
LCD	●	●	●
Interfaces: Bluetooth / RS485	○/○	○/○	○/○
Warranty: 5 years / 10 years	●/○	●/○	●/○
Certificates and approvals	www.SMA.de	www.SMA.de	www.SMA.de
Certificate number (please include when ordering)	-	-	V0153

● Standard ○ Optional

Data of nominal conditions - Last update: March 2009
*Version for country requirements in accordance with EN 50438 with $I_{AC} = 16 A$



Accessories

